

# Lectures Outline :

**Cloud fundamentals** - global distribution, types, visualization and link with large scale circulation

**Cloud Formation and Physics** - thermodynamics, cloud formation, instability, life cycle of an individual cloud

**Organization of deep convection at mesoscales** - MCSs, MCCs, Squall lines, Tropical cyclones, Processes, Self-aggregation

**Response of the hydrological cycle to climate change** - mean precip, precip extremes

**Clouds in a changing climate** – climate sensitivity, cloud effect, cloud feedback, FAT

# Clouds and turbulent moist convection

*Caroline Muller*

Lecture 4 : Response of the  
hydrological cycle to warming

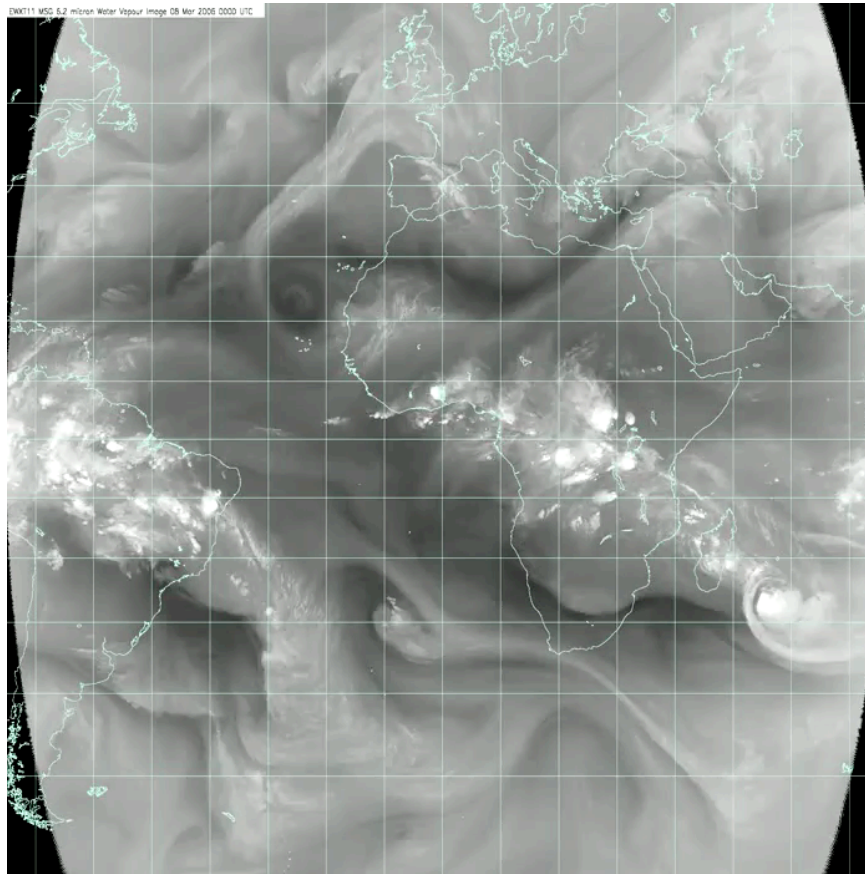
&

Lecture 5 : Clouds in a changing  
climate



# Tropical convection = “pop corn” convection

*Water vapor from satellite*



} **Small-scale**  
} tropical  
} convection

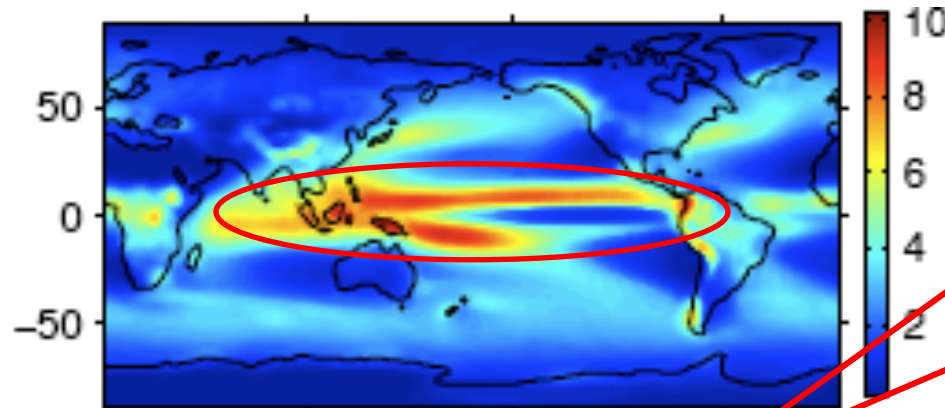
Tropical convection **parameterized** in GCMs

# Mean precipitation : “rich get richer”

Robust responses between models for the spatial distribution of mean precipitation

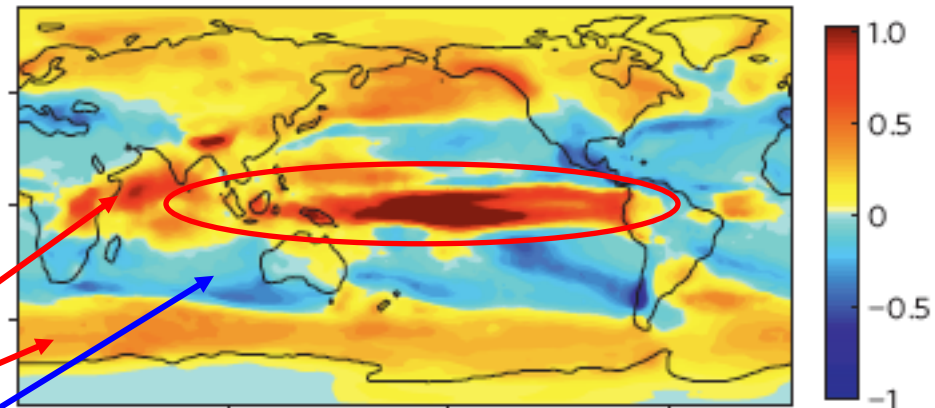
[Held & Soden, *J. Clim.*, 2006, 1200+ citations]

$P$  (mm/day)  
1981-1999 climatology



Increase in Tropics &  
Extratropics  
Decrease in Subtropics

$dP$  (mm/day)  
(2081-2099) minus (1981-1999)



Warming => “Rich get richer”

$P \sim$  moisture convergence

Moisture increases  $\sim$  CC rate. If to leading order the dynamics do not change:

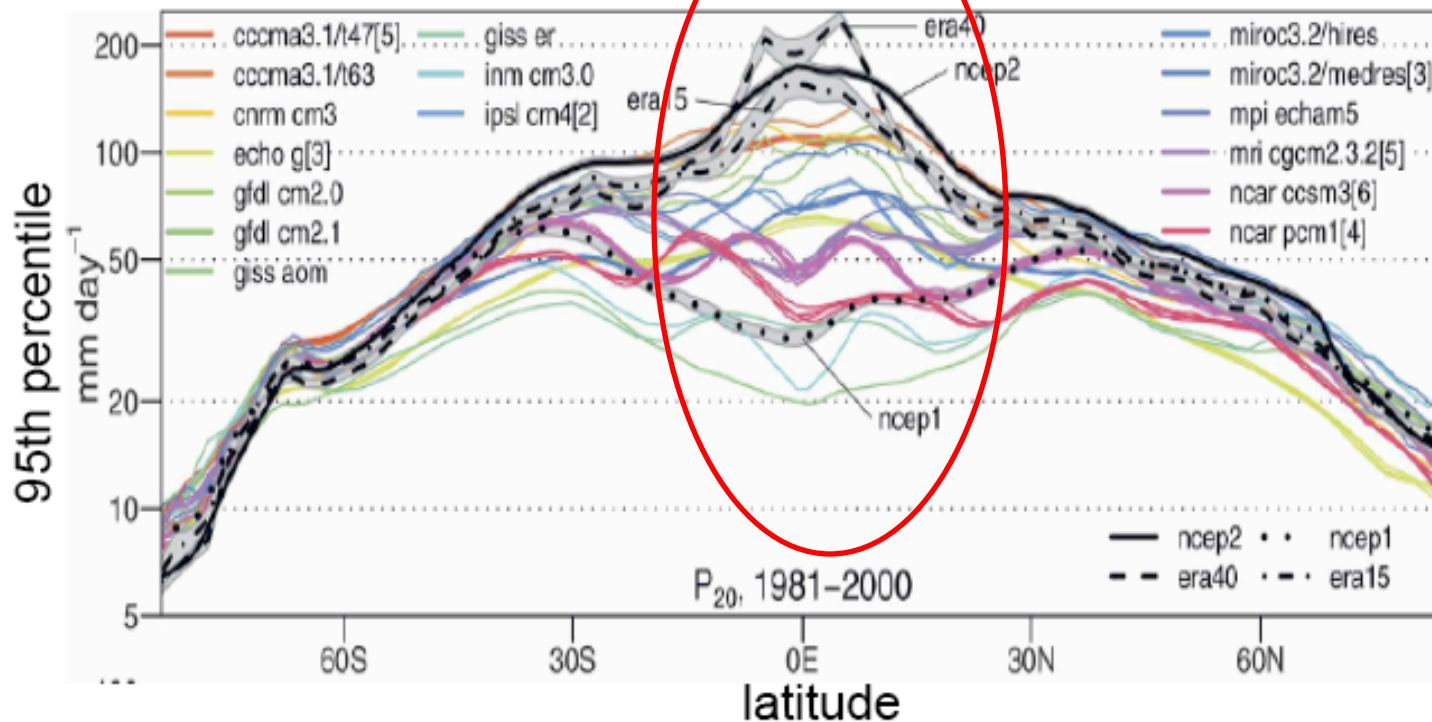
- Anomalous  $P > 0 \Leftrightarrow$  moisture convergence  $\Leftrightarrow dP \sim d(\text{moisture convergence}) > 0$
- Anomalous  $P < 0 \Leftrightarrow$  moisture divergence  $\Leftrightarrow dP \sim -d(\text{moisture divergence}) < 0$

[Chou & Neelin, *J. Clim.*, 2004

Muller & O’Gorman, *Nat. Clim. Change*, 2011]

# Precipitation extremes

*Precip extremes (95<sup>th</sup> percentile) in climate models and reanalysis*

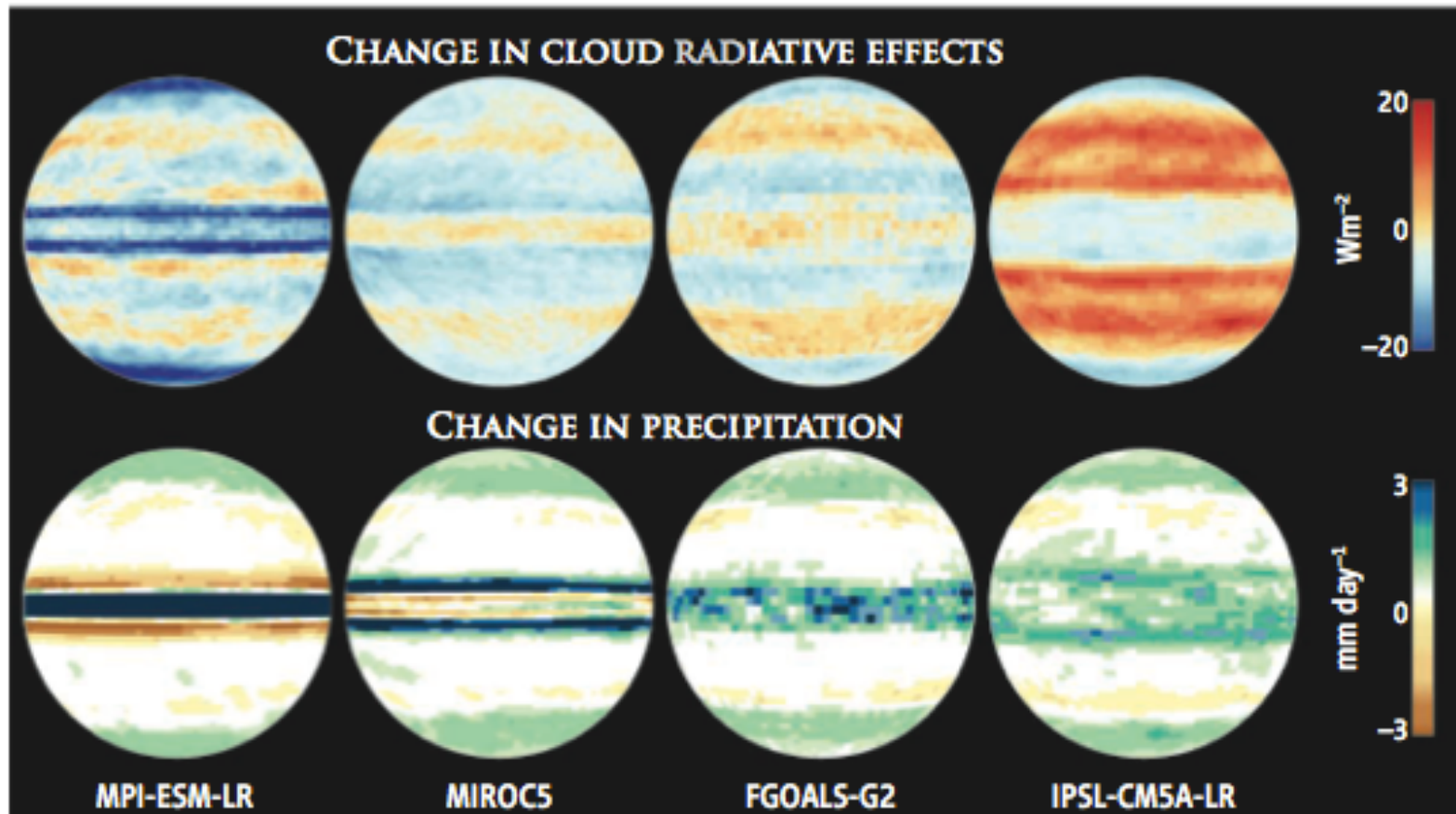


⇒ Values NOT consistent in tropics and subtropics [Kharin et al, 06]

⇒ Not correlated with resolution, hence **convection param**

⇒ **Models disagree** [O’Gorman&Schneider, 09; Sugiyama,Shiogama,Emori, 10]

# Tropical convection parameterized in GCMs



**Wide variation.** The response patterns of clouds and precipitation to warming vary dramatically depending on the climate model, even in the simplest model configuration. Shown are changes in the radiative effects of clouds and in precipitation accompanying a uniform warming ( $4^{\circ}C$ ) predicted by four models from Phase 5 of the Coupled Model Intercomparison Project (CMIP5) for a water planet with prescribed surface temperatures.

[Stevens & Bony, *Science* 2013]

# Tropical convection parameterized in GCMs

## Hierarchy of models

- Because of numerous complex interactive processes, a sequence of models with increasing complexity were developed.
- Cloud-resolving models (CRMs) are simplified models.



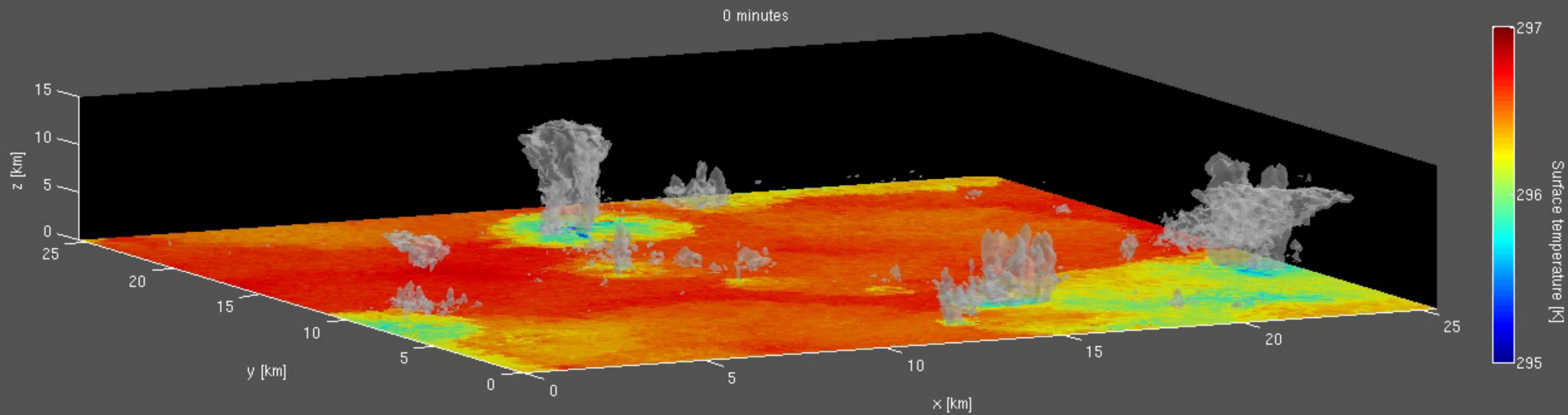
Isaac Held, 2014 (Science)

# Cloud-resolving model SAM

- Anelastic momentum, continuity and scalar conservation equations
- Interactive radiative cooling (LW&SW radiation scheme NCAR CAM3)
- Fixed SST, square doubly-periodic domain, no rotation
- Run to statistical RCE (Radiative – Convective Equilibrium)
- (sponge layer in upper troposphere to absorb gravity waves)

*[Khairoutdinov, M.F. and Randall, D.A., JAS 2003]*

*Clouds over near-surface temperature*





# Precip extremes: theory

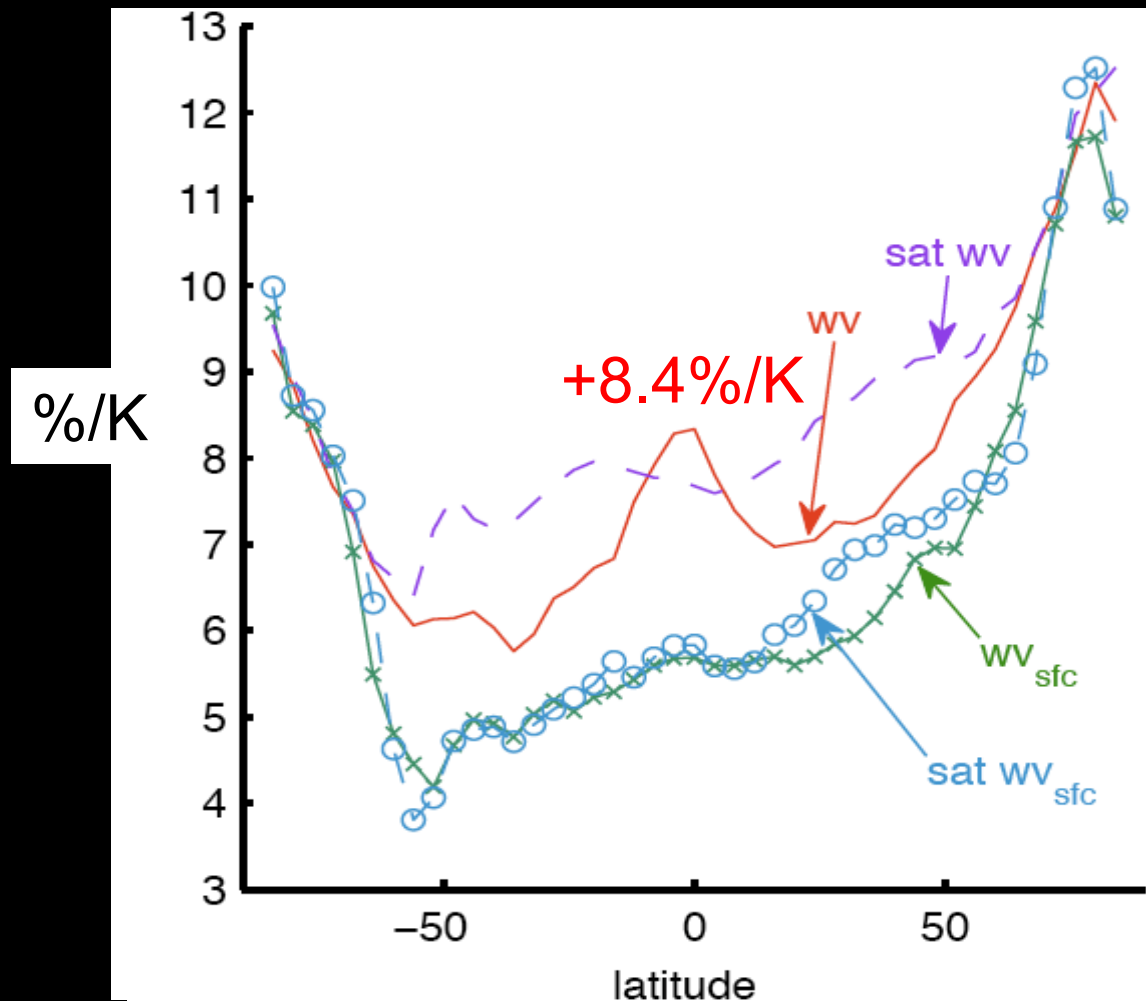
Precip extremes increase with temperature

Scale with atmospheric water vapor?

Clausius Clapeyron (CC)

$$\frac{\delta q_{sat}}{q_{sat}} \approx \frac{L_v \delta T}{R T^2}$$

# GCM multi-model mean wv increase



[O’Gorman & Muller, *Environmental Res. Lett.*, 2010]

# Questions

- By how much do precip extremes increase with warming?
- How does it compare with change in wv?
- How do vertical velocities in updrafts change and how does it impact precip extremes?
- Can we derive a scaling that relates changes in precip extremes to mean quantities?

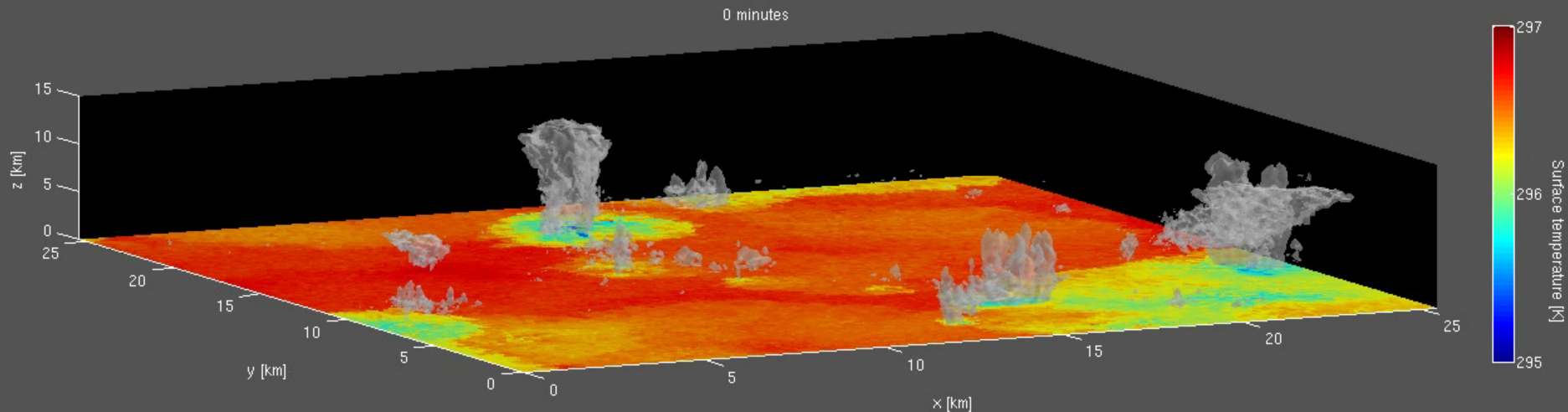
Part 1 : disorganized « pop corn » convection

Part 2 : impact of convective organization

# Tool: Cloud resolving model

- SAM [Khairoutdinov, M.F. and Randall, D.A., JAS 2003]
  - Anelastic momentum, continuity and scalar conservation equations
  - Fixed SST: 300K & 305K
  - Specified radiative cooling  $Q_{\text{rad},300}$  &  $Q_{\text{rad},305}$
  - Square, doubly-periodic domain, run to RCE
- » « cold » & « warm » runs

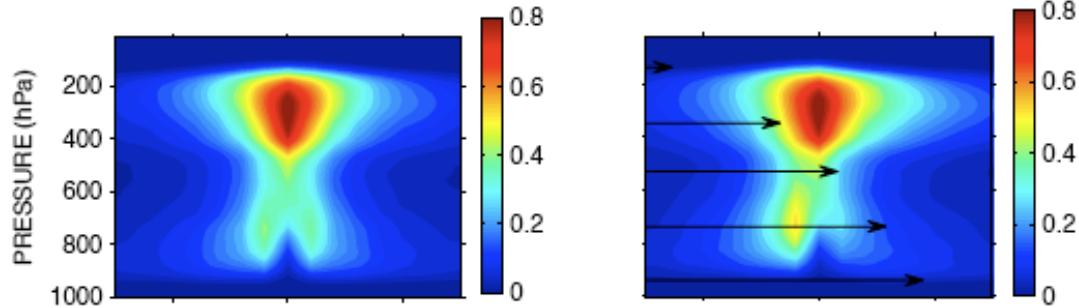
Clouds over near-surface temperature



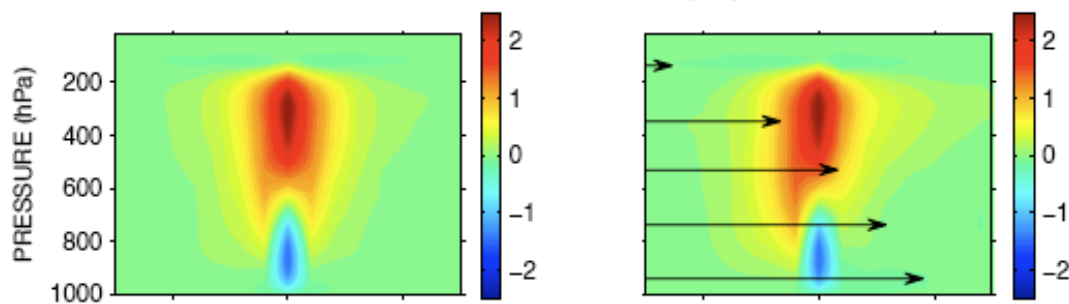
- Want large domain -> 1024kmx1024km (dx=dy=4km)

# Composite $P > 99.9$ th percentile

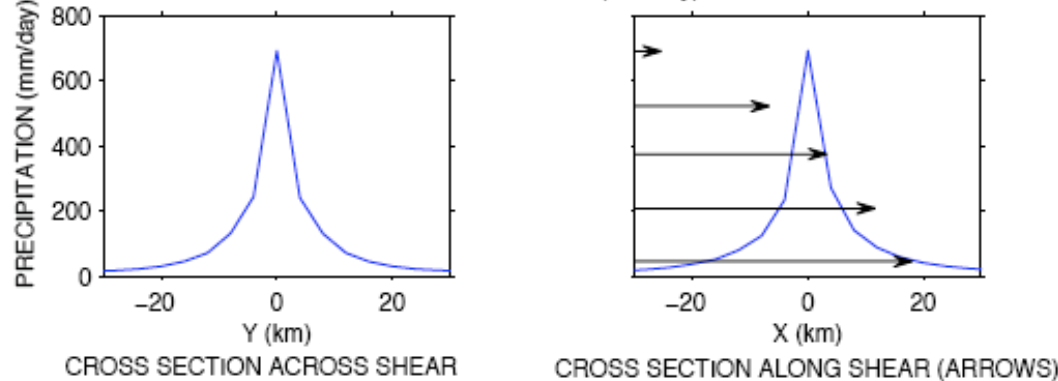
NON-PRECIPITATING CONDENSATE (g/kg)



VERTICAL VELOCITY  $w$  (m/s)



PRECIPITATION (mm/day)

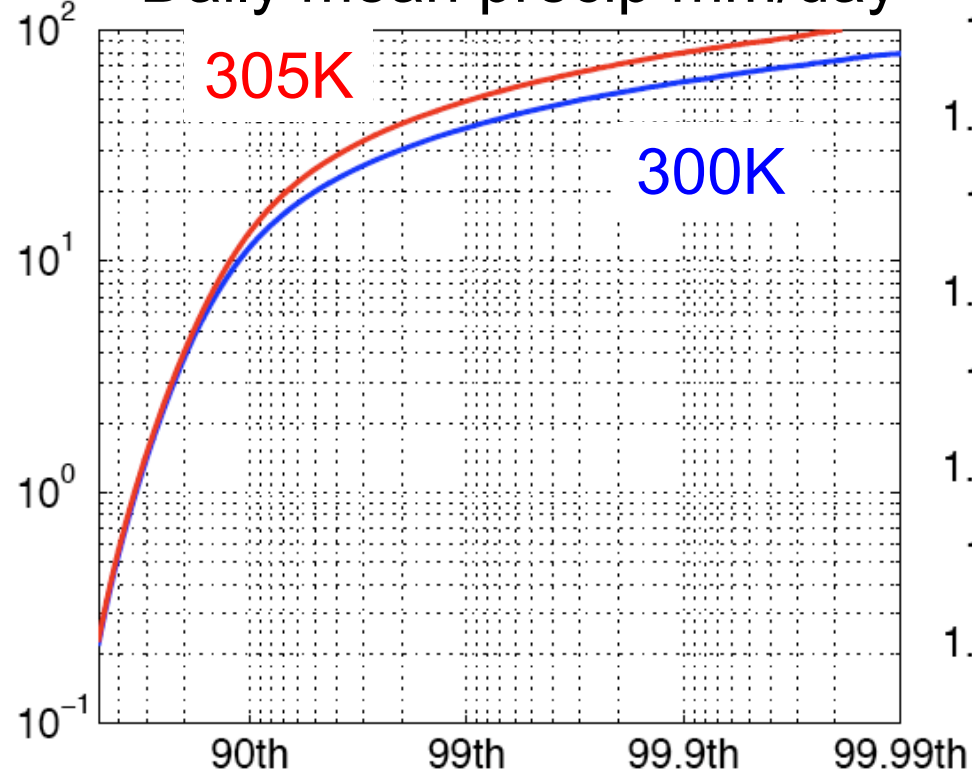


- Strong upward motion
- Downdrafts at low levels

Asymmetry along shear:  
Preferred upward motion  
and cloudiness upwind

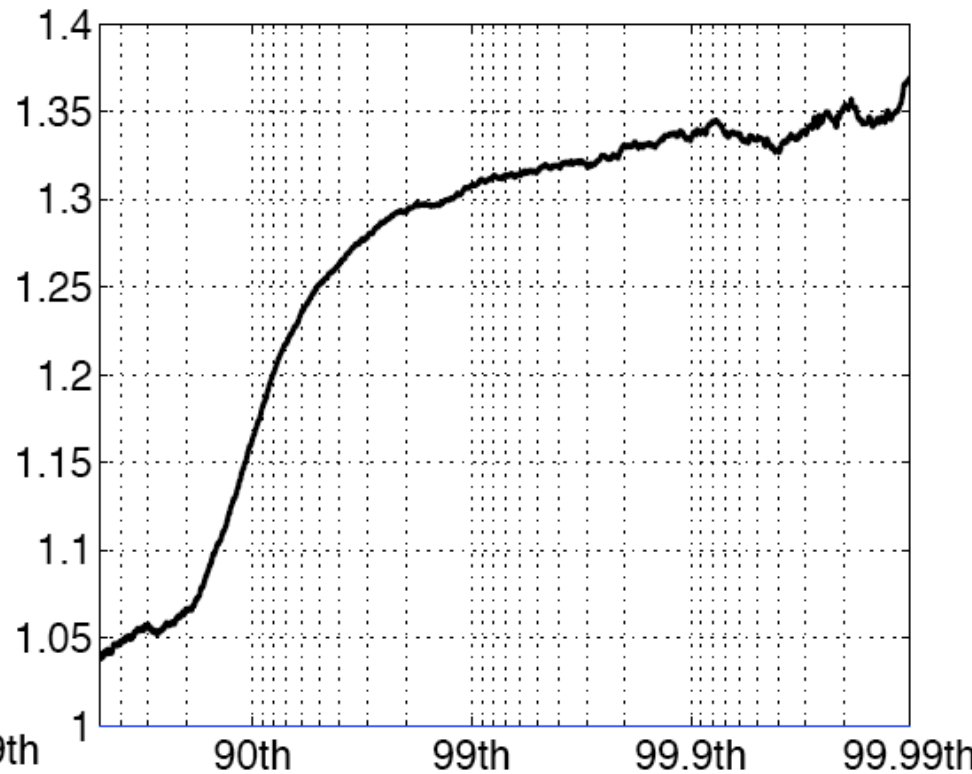
# Extremes of precipitation

Daily mean precip mm/day



Precip percentile

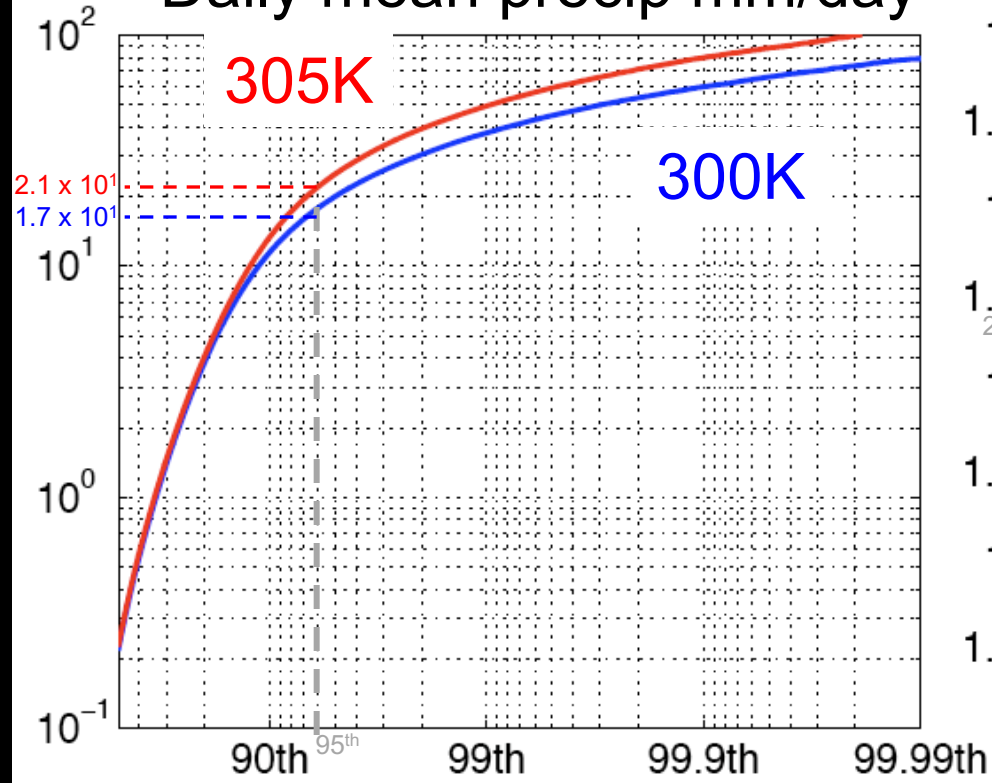
Ratio 305/300



Precip percentile

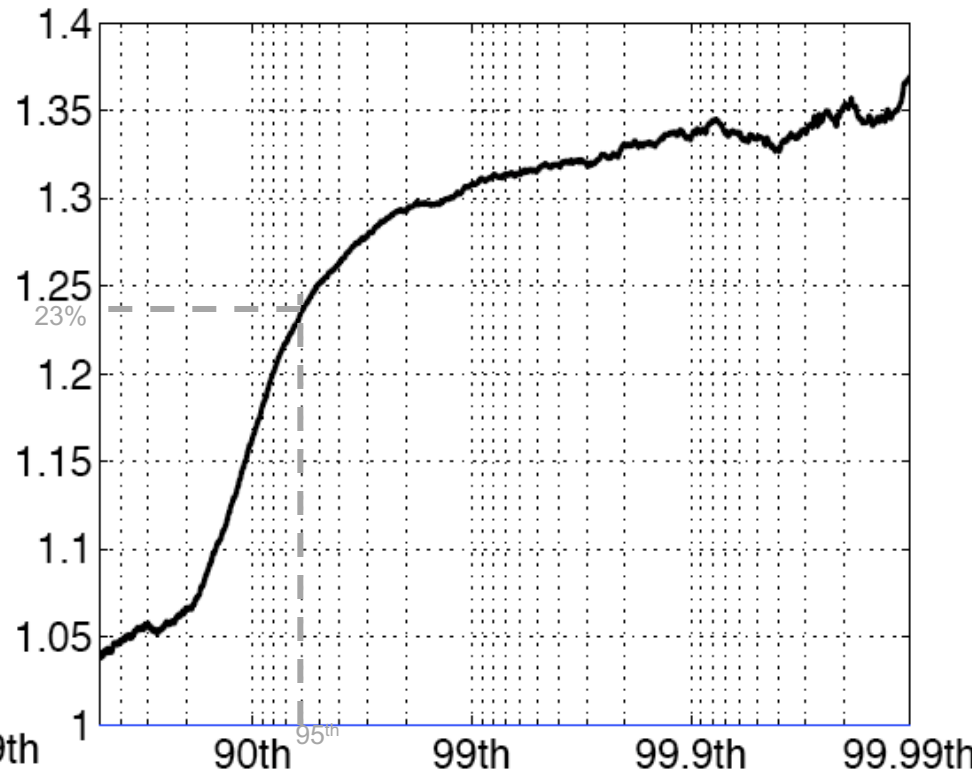
# Extremes of precipitation

## Daily mean precip mm/day



## Precip percentile

## Ratio 305/300



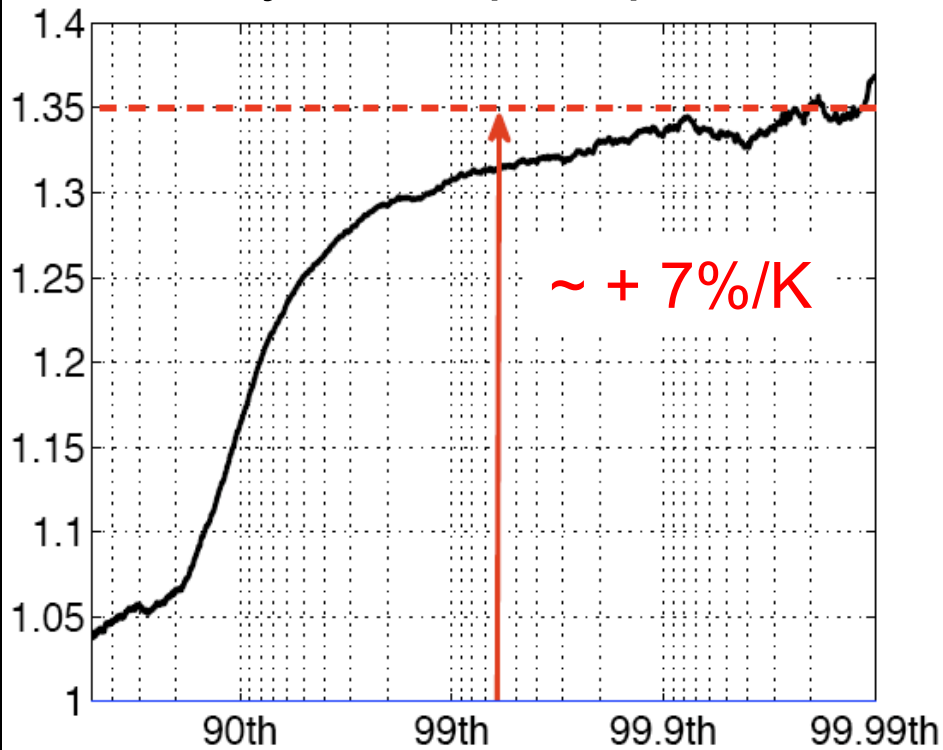
## Precip percentile

$$95^{\text{th}} \text{ percentile} = \begin{cases} 1.7 \times 10^1 \text{ mm/day} \\ 2.1 \times 10^1 \text{ mm/day} \end{cases} \Leftrightarrow 23 \% \text{ increase}$$



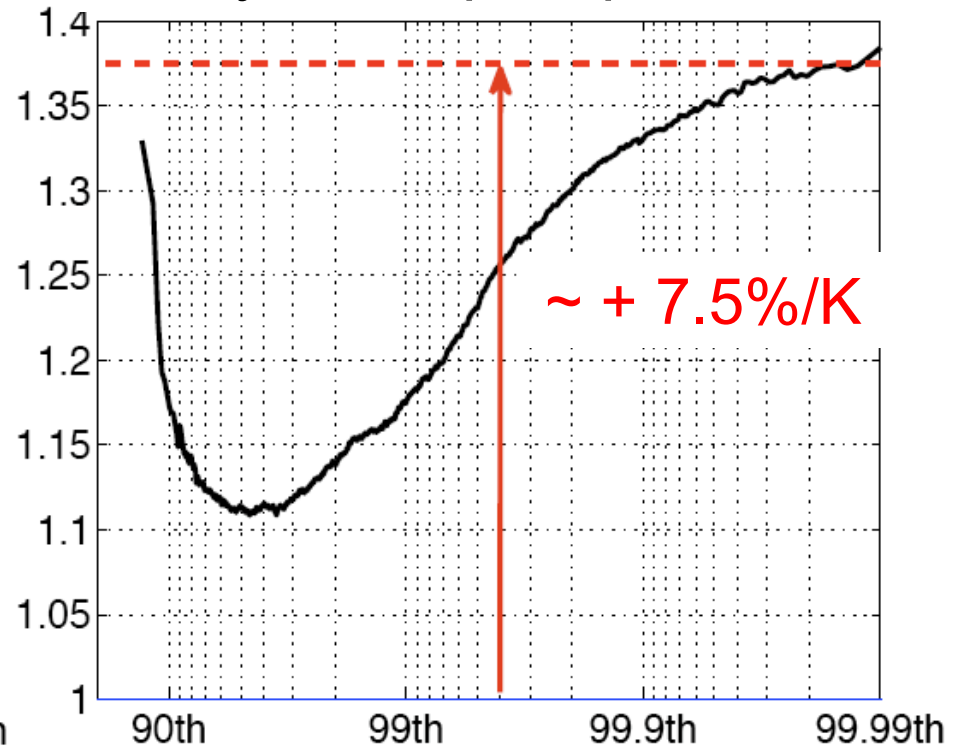
# Extremes of precipitation

Daily mean precip 305/300



Precip percentile

Hourly mean precip 305/300



Precip percentile

# Scaling for precipitation extremes

Dry static energy budget (neglect  $Q_{rad}$  small compared to  $L_v P$  when precip strong)

$$\int \frac{Ds}{Dt} \bar{\rho} dz = L_v \int \frac{Dq_l}{Dt} \bar{\rho} dz + L_s \int \frac{Dq_s}{Dt} \bar{\rho} dz + L_v P$$

$$s = c_p T + gz, \quad q_l \text{ and } q_s = \text{condensates}$$

+ approx:  $\frac{Ds}{Dt} \approx w \frac{\partial s}{\partial z}$  and  $ds = \overset{\text{hydrostatic}}{\frac{c_p T}{\theta}} d\theta = \overset{\text{moist adiabat}}{-L_v dq_{sat}}$

=> Main balance:

$$P \approx \int w \frac{-\partial q_{sat}}{\partial z} \bar{\rho} dz - \int \frac{D(L_v q_l + L_s q_s)}{L_v Dt} \bar{\rho} dz$$

$$\approx \epsilon_p \int w \frac{-\partial q_{sat}}{\partial z} \bar{\rho} dz$$

Similar to earlier scalings [Betts&Harshvardhan 87; O’Gorman&Schneider 09]  
with additional **precip efficiency** (net condensation lost as clouds)

# Scaling for precipitation extremes

$$P \sim \epsilon_p \int w \frac{-\partial q_{\text{sat}}}{\partial z} \rho dz$$

Observed changes in precip efficiency are small =>

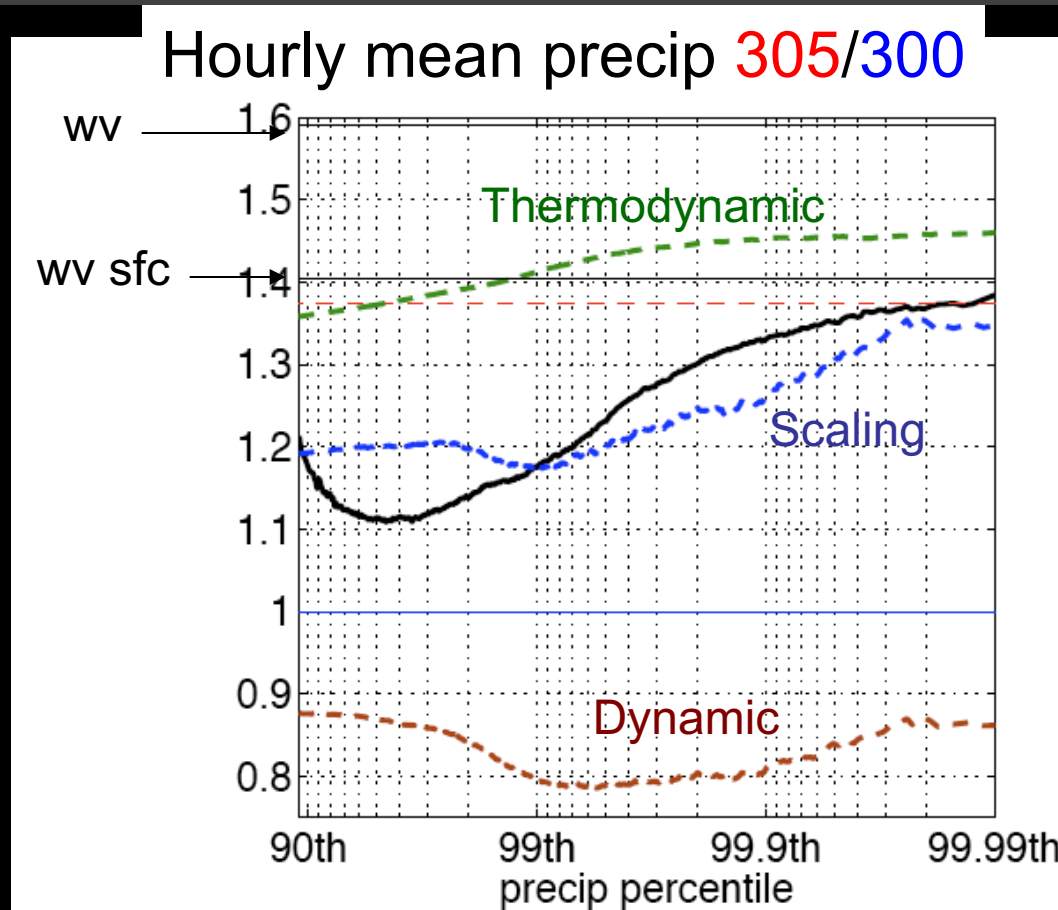
$$\delta P \sim \epsilon_p \delta \int w \frac{-\partial q_{\text{sat}}}{\partial z} \rho dz \quad \text{scaling}$$

$$\sim \epsilon_p \int \delta (\rho w) \frac{-\partial q_{\text{sat}}}{\partial z} dz + \epsilon_p \int \rho w \delta \left( \frac{-\partial q_{\text{sat}}}{\partial z} \right) dz$$

Dynamic

Thermodynamic

# Scaling for precipitation extremes



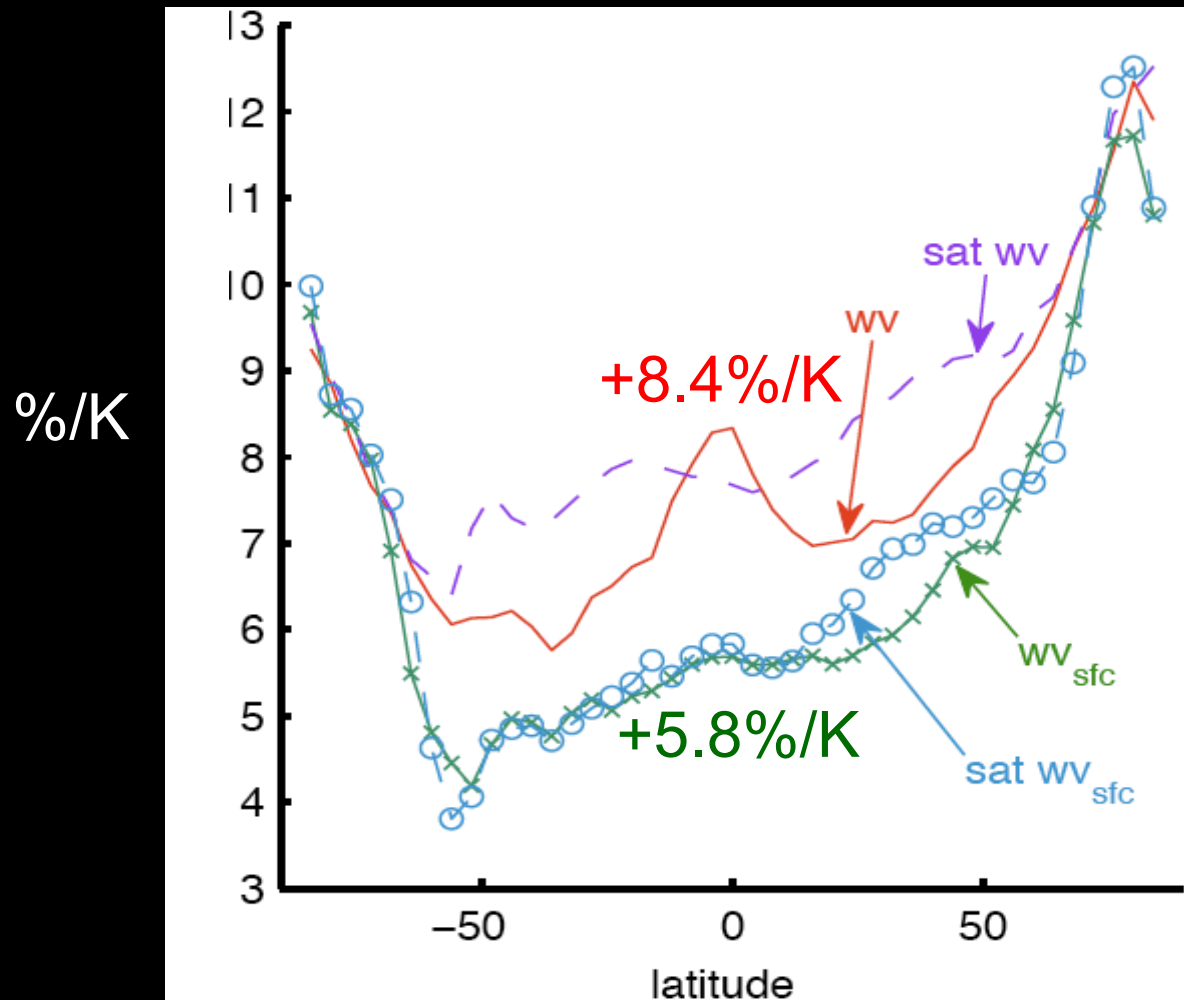
⇒ Fairly good agreement of **scaling**, closer to wv sfc than wv

⇒ To first order, **thermodynamic**

⇒ **Dynamics** play 2ndary role, and tend to reduce P extremes

Scaling useful: relates changes in P extremes to mean fields

# CC vs CCsfc

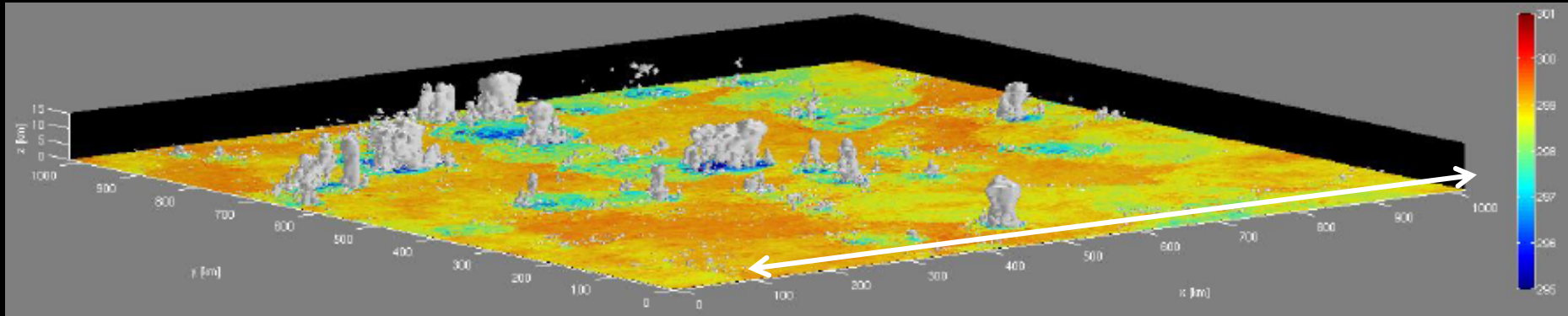


Precip extremes go up similar to sfc water vapor, less than column

# Summary of results so far



- Shouldn't trust parameterized convection when looking at precip extremes
- We have looked at precip extremes in simulations with resolved convection  
Precip extremes go up **similar to sfc water vapor, less than column**
- To first order, captured by thermodynamics
- Dynamics play secondary role, and decrease precip rates

# Consistent with other study



SAM,  $L=1024\text{km}$ ,  $dx=4\text{km}$ , square doubly-periodic

[Muller, O’Gorman, Back, *J. Clim.* 11]

  DAM,  $L=25\text{km}$ ,  $dx=200\text{m}$ , square doubly-periodic [Romps, *JAS* 11]

⇒ Despite very different settings, same result:

Precip extremes go up similar to **sfc water vapor (CC<sub>sfc</sub>)**, substantially less than **column water vapor (CC)**

What happens when convection is organized?

Part 1 : disorganized « pop corn » convection

Part 2 : impact of convective organization

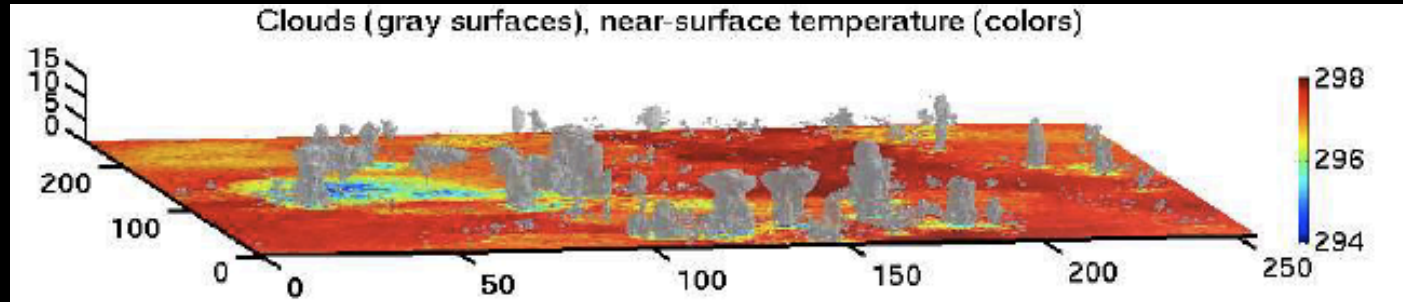
⇒ Convective organization could yield extremes amplification > CC  
because vertical velocities also increase with warming ?



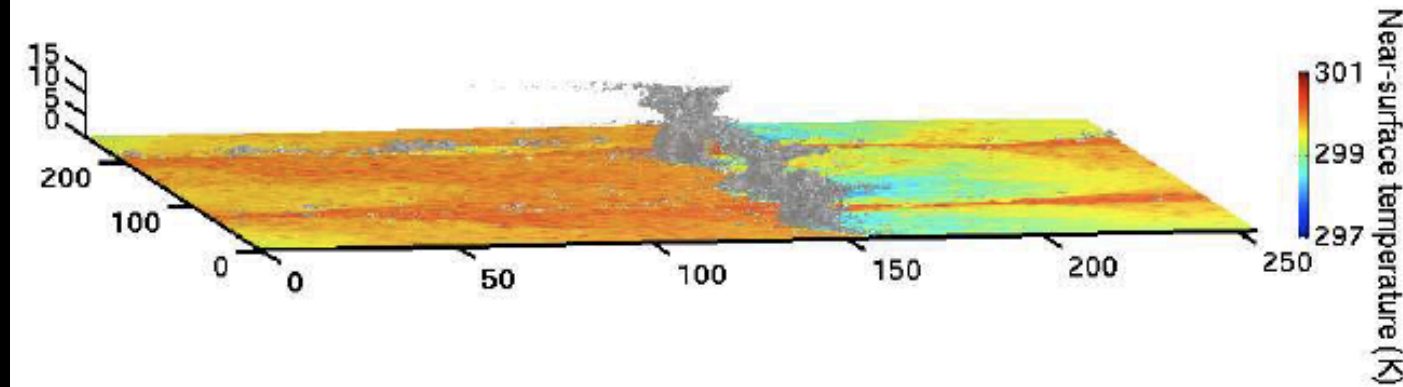
# Impact of convective organization on precip extremes amplification with warming?

Squall lines (use vertical shear to organize the convection into arcs)

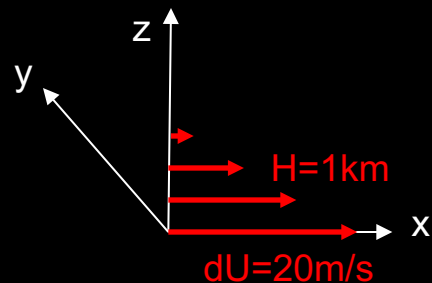
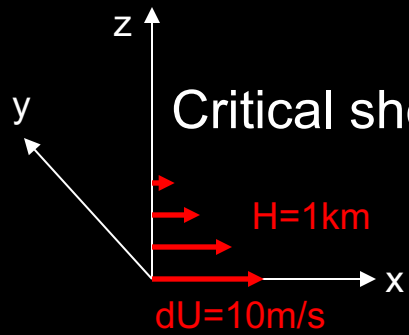
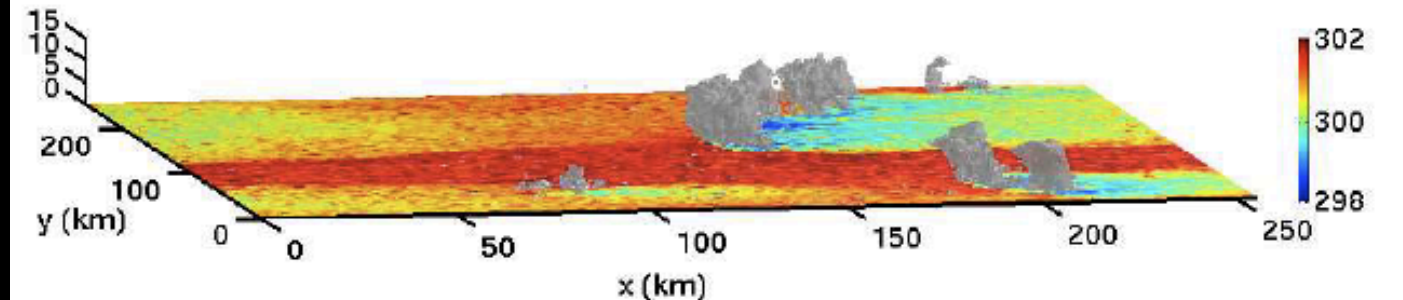
No shear:



Critical shear:



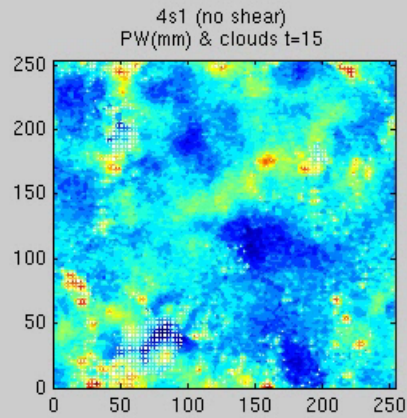
Supercritical shear:



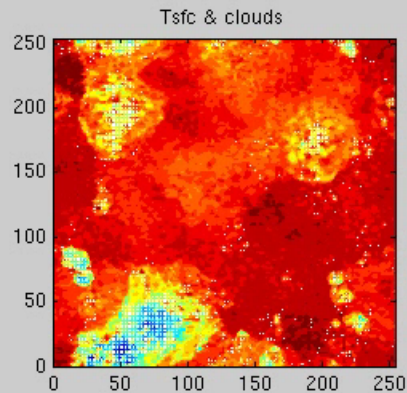
# No shear

Top view

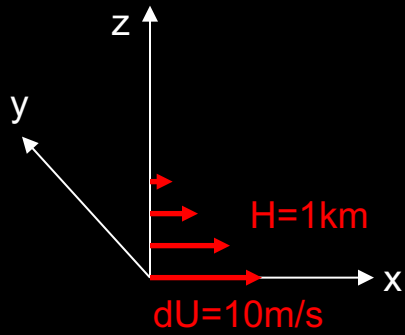
Color: PW



Color: Tsfc



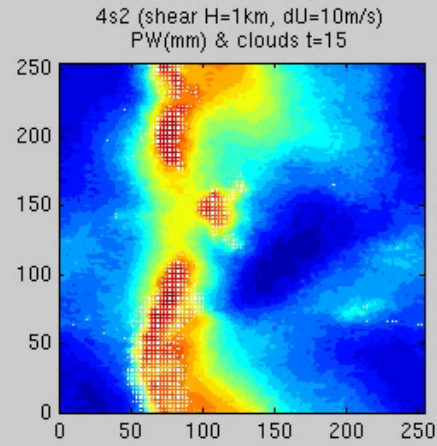
# Critical shear



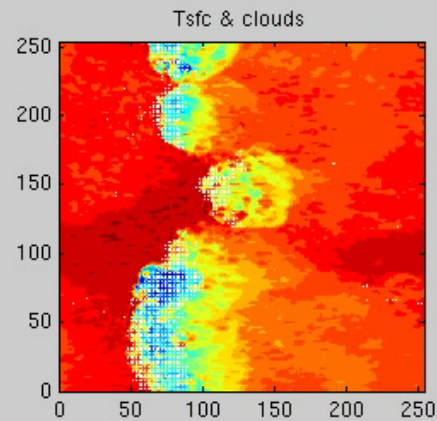
Color: PW



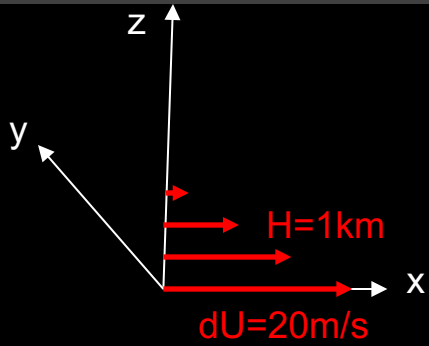
Top view



Color: Tsfc



# Supercritical shear

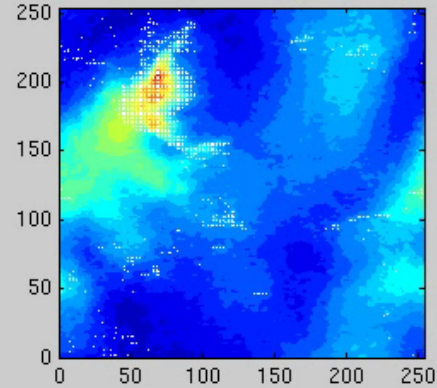


Color: PW



Top view

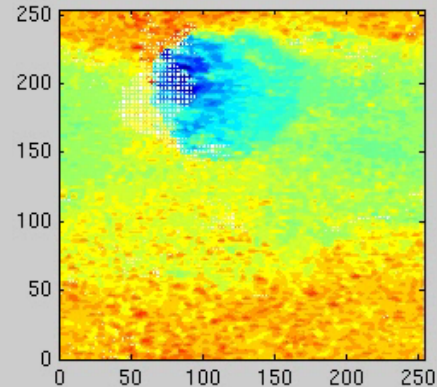
4s3 (shear H=1km, dU=20m/s)  
PW(mm) & clouds t=15



Color: Tsfc



Tsfc & clouds



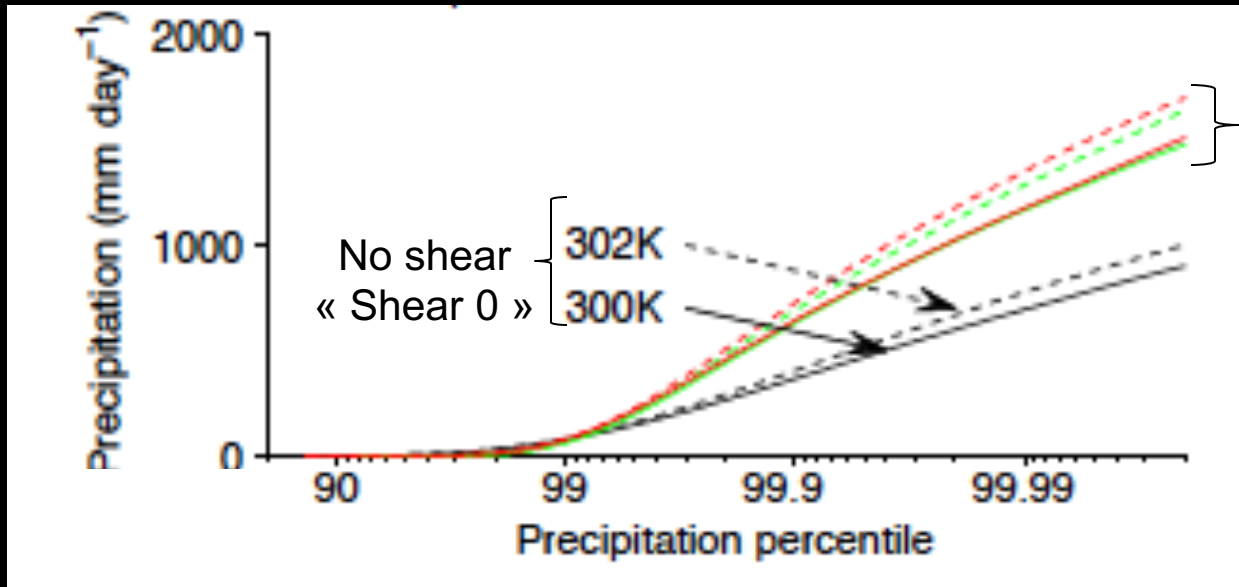
# Questions

- Without convective organization, warming => amplification of precipitation extremes  $\sim CC_{sfc} < CC$

Still true in organized convection ?

- Is the response of precipitation extremes to warming monotonic in the strength of the background vertical shear?
- What are the thermodynamic and dynamic contributions to changes in precipitation extremes with warming? Can it help explain the sensitivity to shear?

# Extremes of precipitation

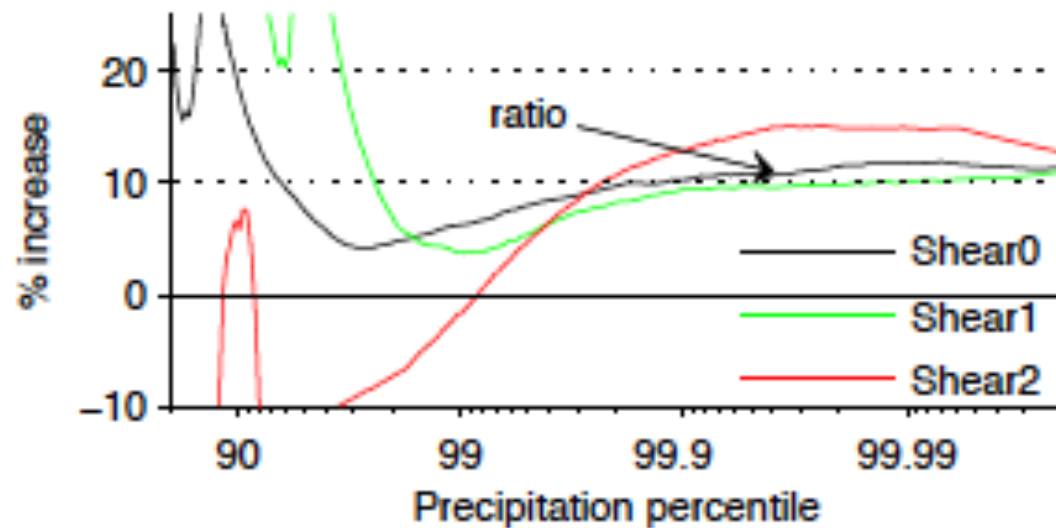
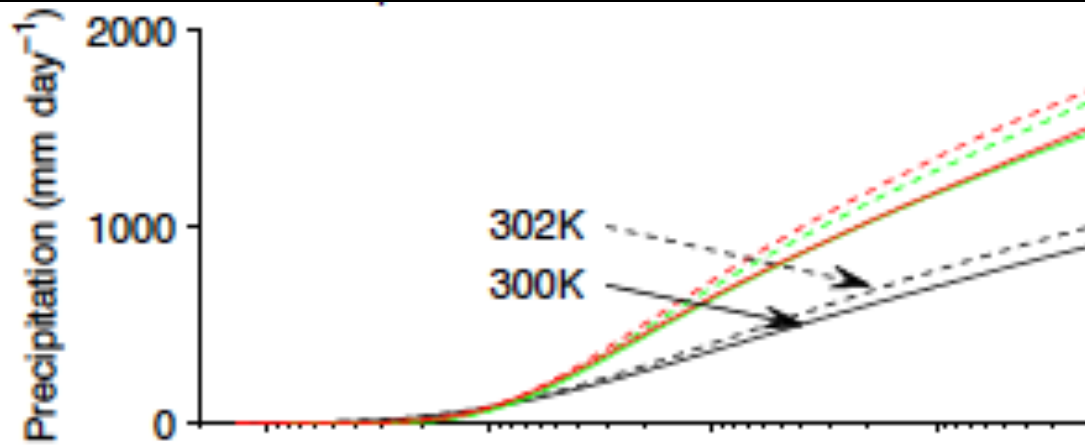


Critical « Shear 1 »  
And  
Supercritical « shear 2 »

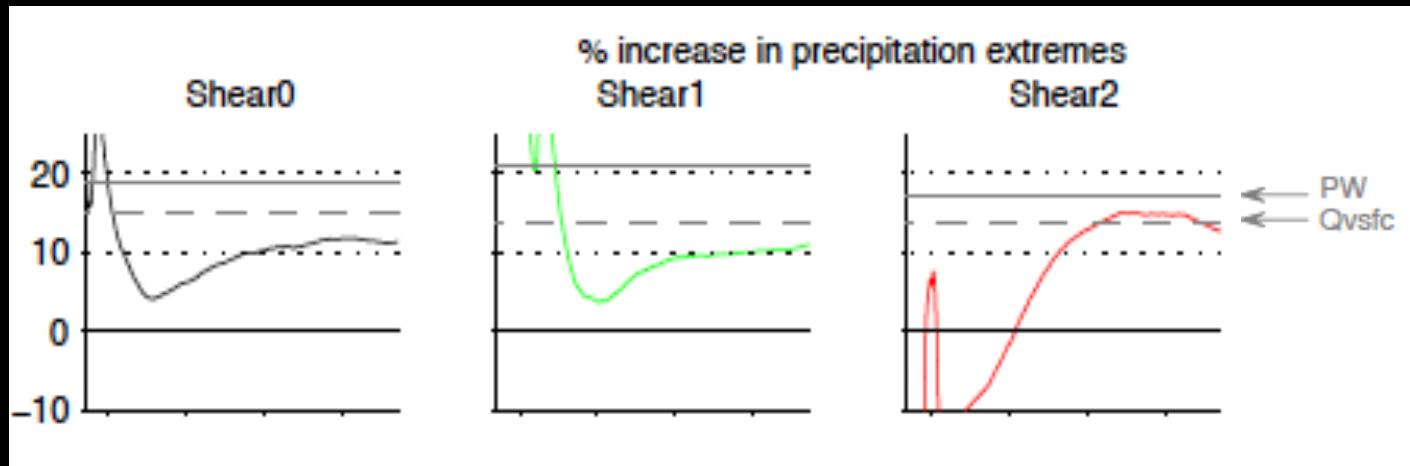
=> Precip extremes increase with warming

=> Stronger with shear but crit or supercrit has little impact

# Extremes of precipitation



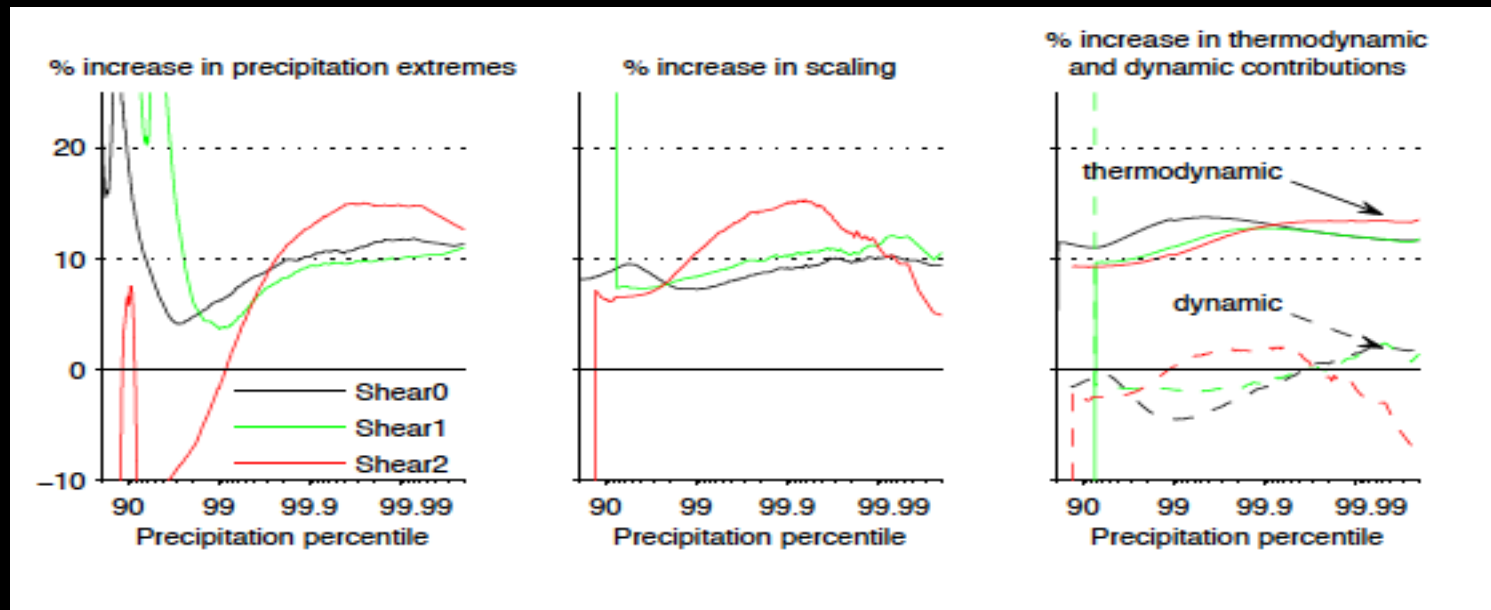
# Extremes of precipitation vs CC and CCsfc



- ⇒ ALL  $\ll$  CC, and closer to CCsfc in all cases
- ⇒ Despite very different org, no shear or crit shear similar, with precip extremes increase smaller than CCsfc
- ⇒ Supercrit shear yields stronger increase, similar to CCsfc



# Extremes of precipitation vs scaling



⇒ good agreement

Magnitude of precip extremes changes same for all shears and is given by thermo ~ CCsfc

Difference between shears due to dynamics, which weaken precip extremes for no shear/critical shear, and strengthen them for supercritical shear

⇒ How does that relate to CCsfc?

# Approx scaling for precip extremes – relationship to water vapor

If changes in rel. hum. small ( $dq_{\text{sat}} \sim dq_v$ )

Then

$$\delta P \sim \epsilon_p \delta \int w \frac{-\partial q_v}{\partial z} \rho dz$$

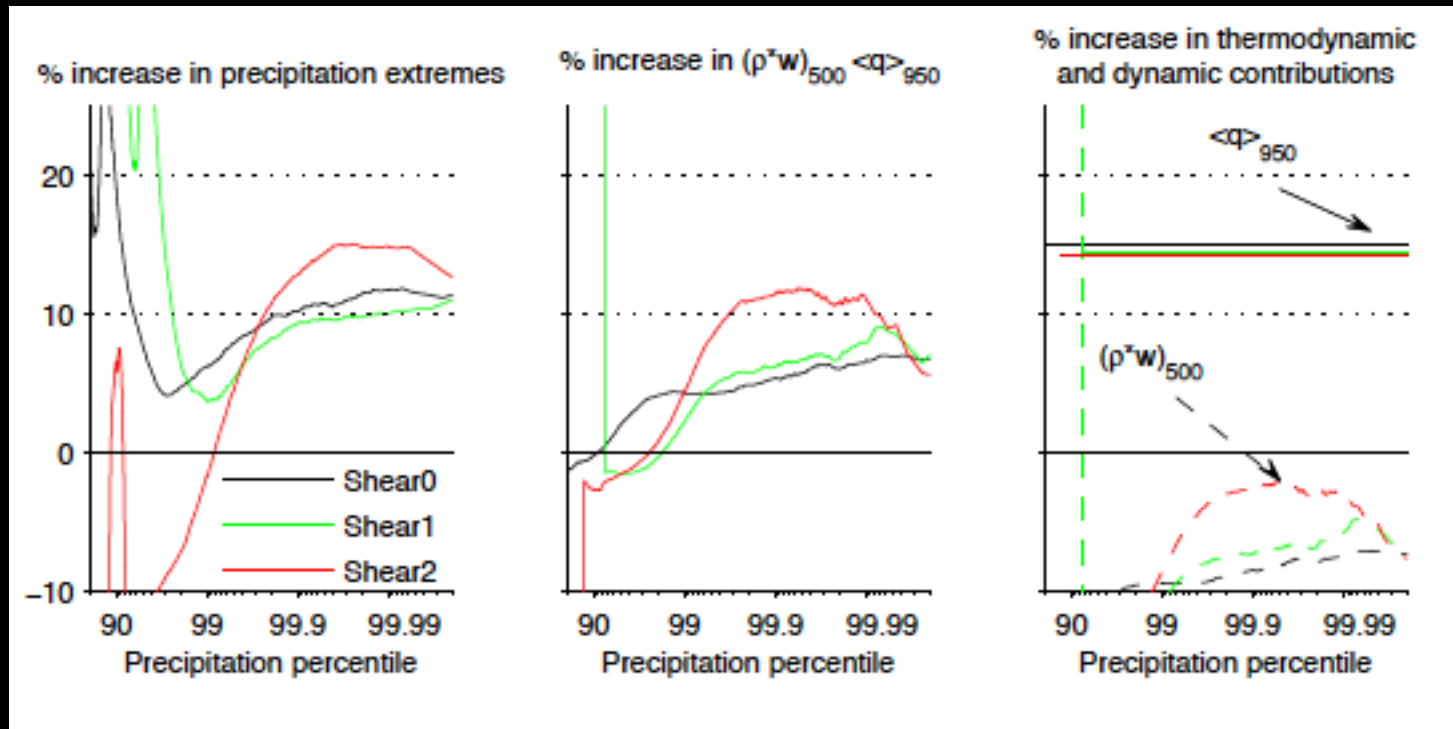
If further assume that representative value of mass flux is its value at 500hPa, then

$$\int \bar{\rho} w \left( -\frac{\partial \langle q_v \rangle}{\partial z} \right) \sim (\bar{\rho} w)_{500} \int -\frac{\partial \langle q_v \rangle}{\partial z} = (\bar{\rho} w)_{500} \langle q_v \rangle_{BL}$$

=>

$$P_e \sim (\bar{\rho} w)_{500} \langle q_v \rangle_{BL}$$

# Extremes of precipitation vs approx scaling



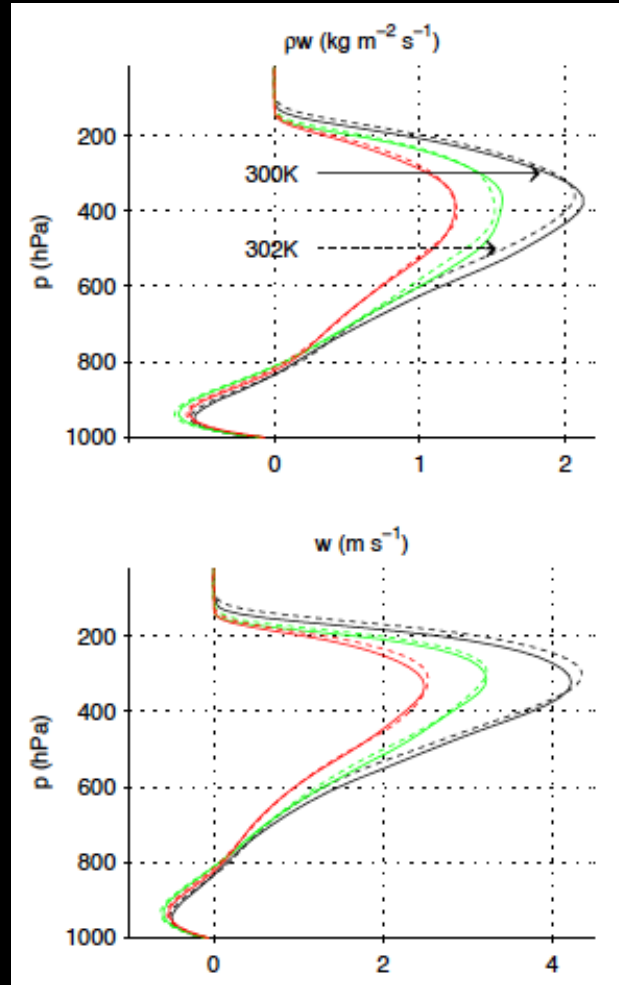
Agreement is not as good, but still captures the different behaviours for different shears.

To leading order, precip extremes increase follows BL water vapor

Dynamics play a secondary role and explain differences between shears

# Note on dynamics

mass flux and  $w$  at 99.95<sup>th</sup> precip percentile



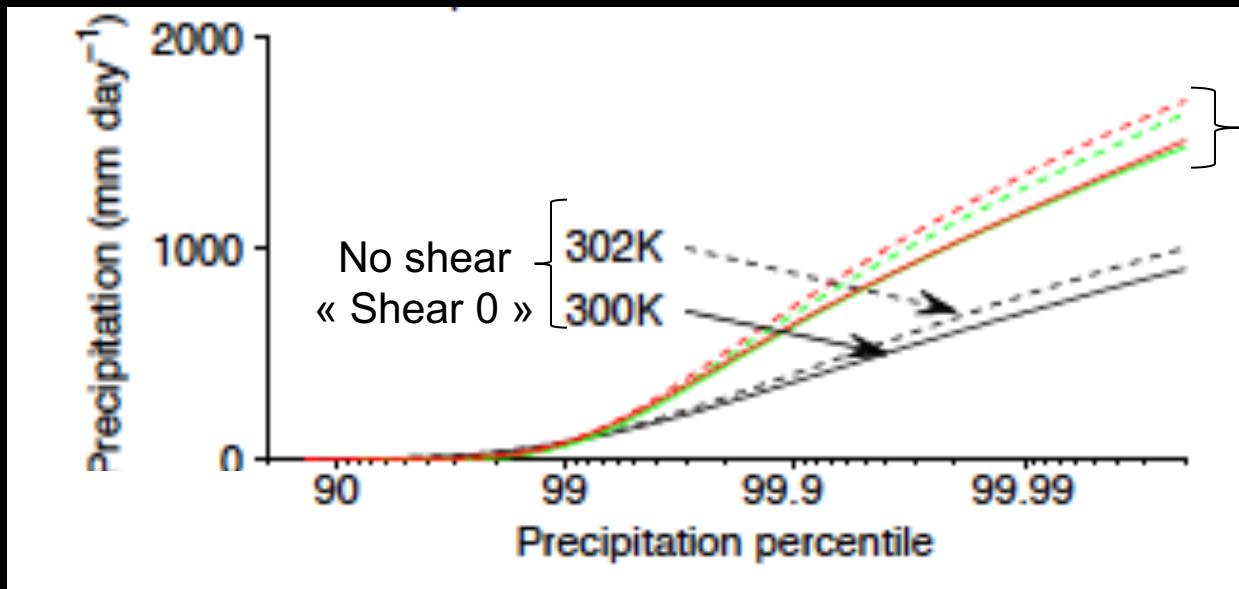
⇒ Convective mass fluxes decrease DESPITE increase in vertical velocities. Former more relevant for precip extremes.

# Results from cloud-resolving model

- Precip extremes go up similar to CCsfc, substantially less than CC, even in organized convection.
- Despite very different organizations, amplification of precip extremes without shear and with critical shear surprisingly similar, rate of increase slightly smaller than CCsfc.  
The dependence on shear non-monotonic : extremes more sensitive to supercritical shear, rates slightly larger than CCsfc.
- For all shears, the magnitude of precip extremes changes related to thermodynamics, close to CCsfc  
dynamics play secondary role, differ for different shears. Caused by different responses of convective mass fluxes in individual updrafts.

[Muller, J Clim 13]

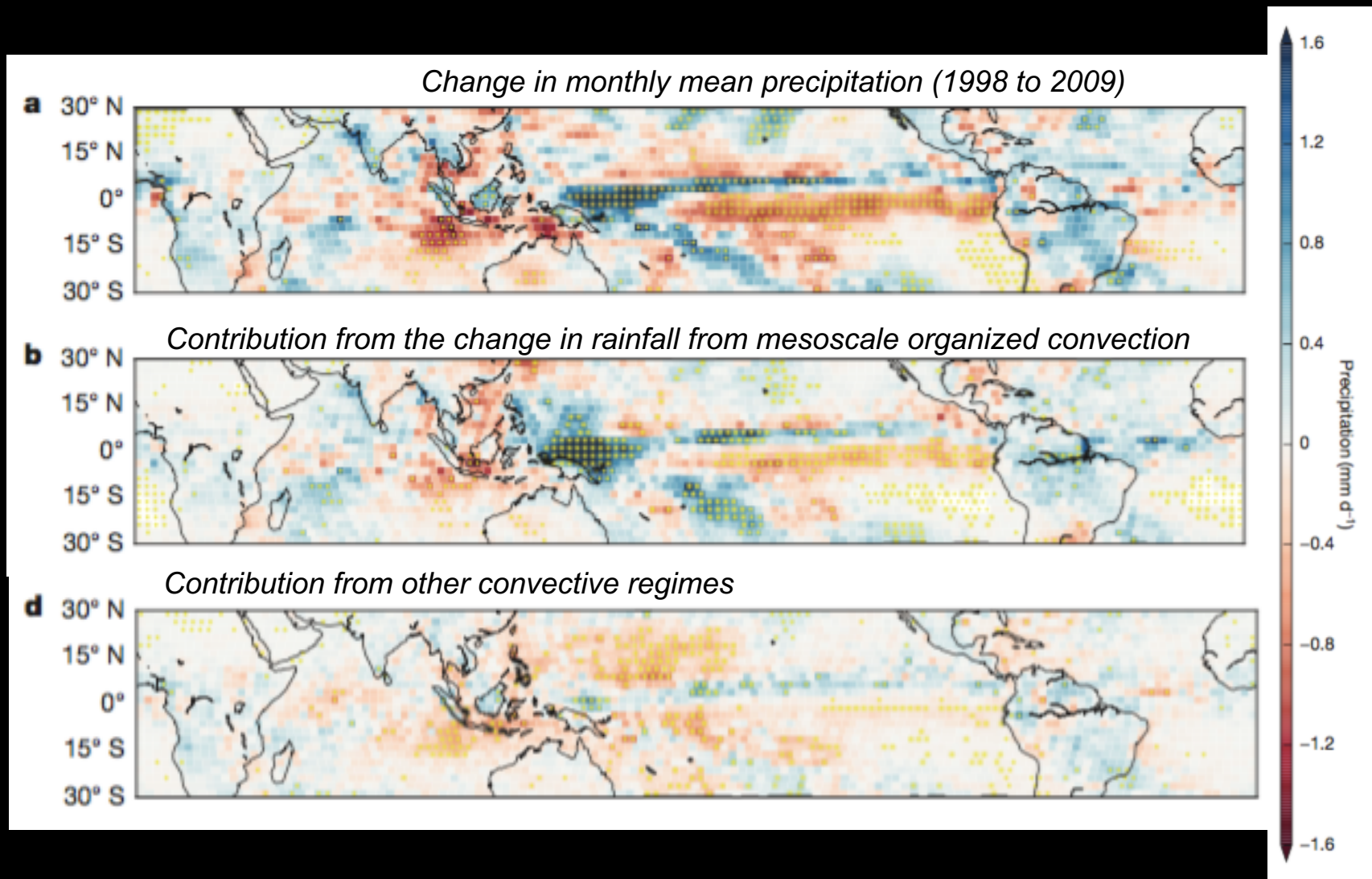
Note: possible large uncertainty in tropical precipitation estimates from changes in organization...



Critical « Shear1 »  
And  
Supercritical « shear 2 »

If organization changes with warming, large change in precip extremes !

# Recent trends in tropical precipitation linked to organization



# Lectures Outline :

**Cloud fundamentals** - global distribution, types, visualization and link with large scale circulation

**Cloud Formation and Physics** - thermodynamics, cloud formation, instability, life cycle of an individual cloud

**Organization of deep convection at mesoscales** - MCSs, MCCs, Squall lines, Tropical cyclones, Processes, Self-aggregation

**Response of the hydrological cycle to climate change** - mean precip, precip extremes

**Clouds in a changing climate** – climate sensitivity, cloud effect, cloud feedback, FAT

*With thanks to Sandrine Bony*



# Clouds in a changing climate

## OUTLINE

- Climate sensitivity
- Quantifying climate feedbacks
- Cloud feedback processes

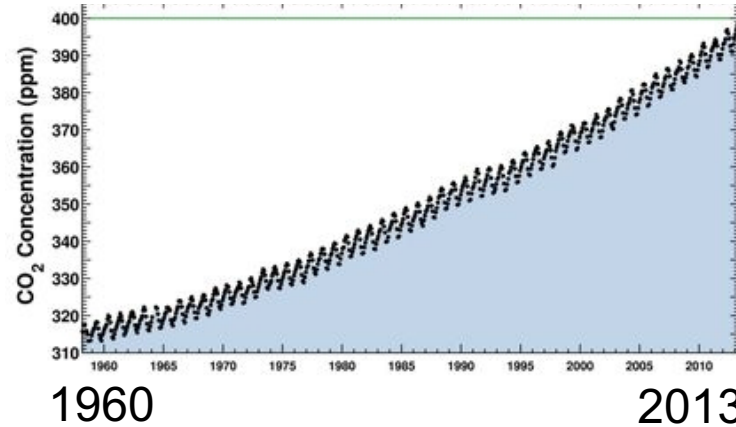
# Climate sensitivity

## Clouds in a *changing climate*

Mauna Loa Observatory

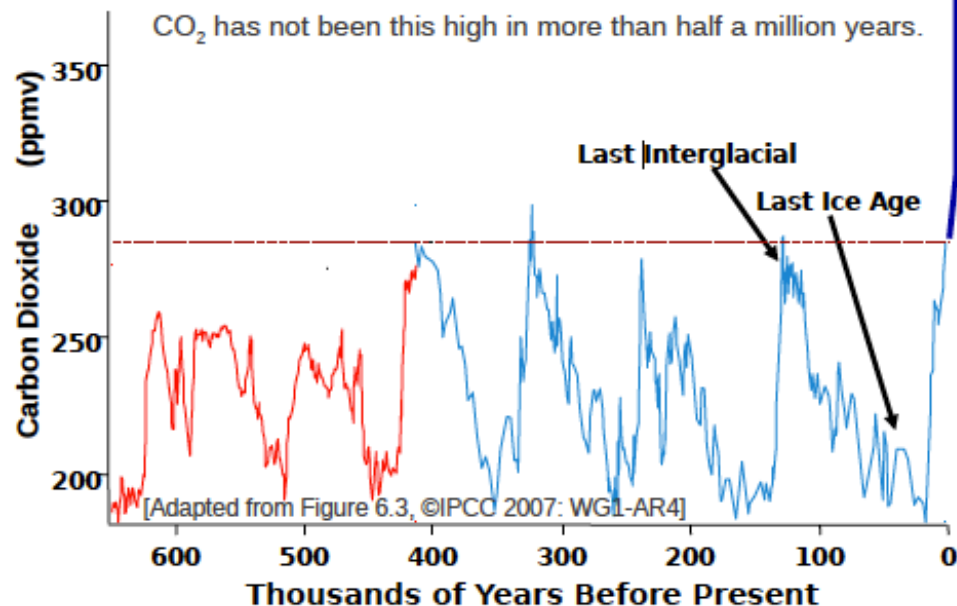


CO<sub>2</sub> concentrations at Mauna Loa



2013:  
400ppm

Humanity is running an unprecedented geophysical experiment



# Climate sensitivity

**Climate sensitivity**: equilibrium change in global mean surface temperature  $\Delta T_s$  when atmospheric  $\text{CO}_2$  is doubled.

An Early Assessment of Long-Term Climate Change : The “Charney Report” (1979)

## Carbon Dioxide and Climate: A Scientific Assessment

Report of an Ad Hoc Study Group on Carbon Dioxide and Climate  
Woods Hole, Massachusetts  
July 23–27, 1979  
to the  
Climate Research Board  
Assembly of Mathematical and Physical Sciences  
National Research Council



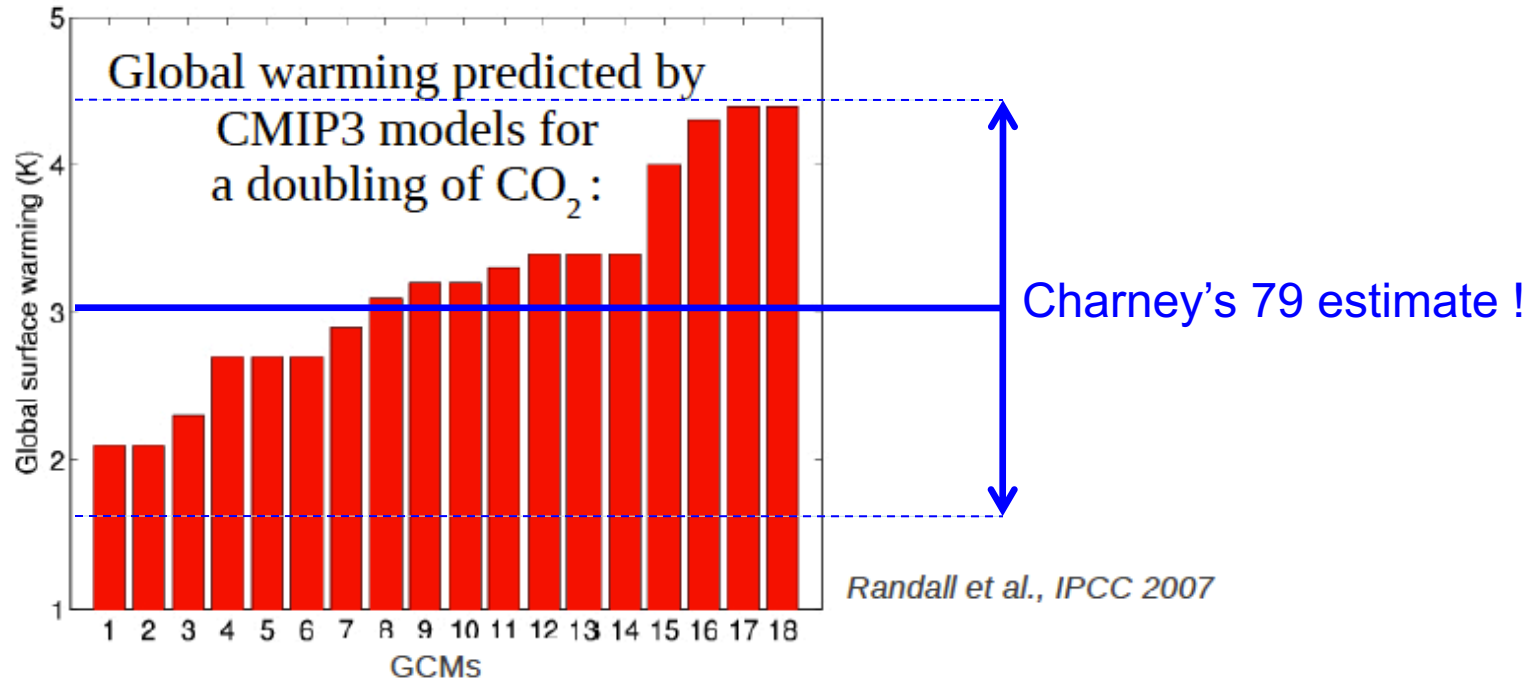
Jule Charney  
(1917-1981)

- climate sensitivity estimate :  
range 1.5 – 4.5 K ; likely value : 3 K

- key uncertainties include :  
cloud feedbacks  
role of the ocean in carbon and heat uptake  
regional precipitation changes

ECS estimate from Manabe & Wetherald

# Climate sensitivity



**Carbon Dioxide and Climate:  
A Scientific Assessment**  
NATIONAL ACADEMY OF SCIENCES  
Washington, D.C. 1979



1990



1995



2001



2007

AR5

2013

# Climate sensitivity

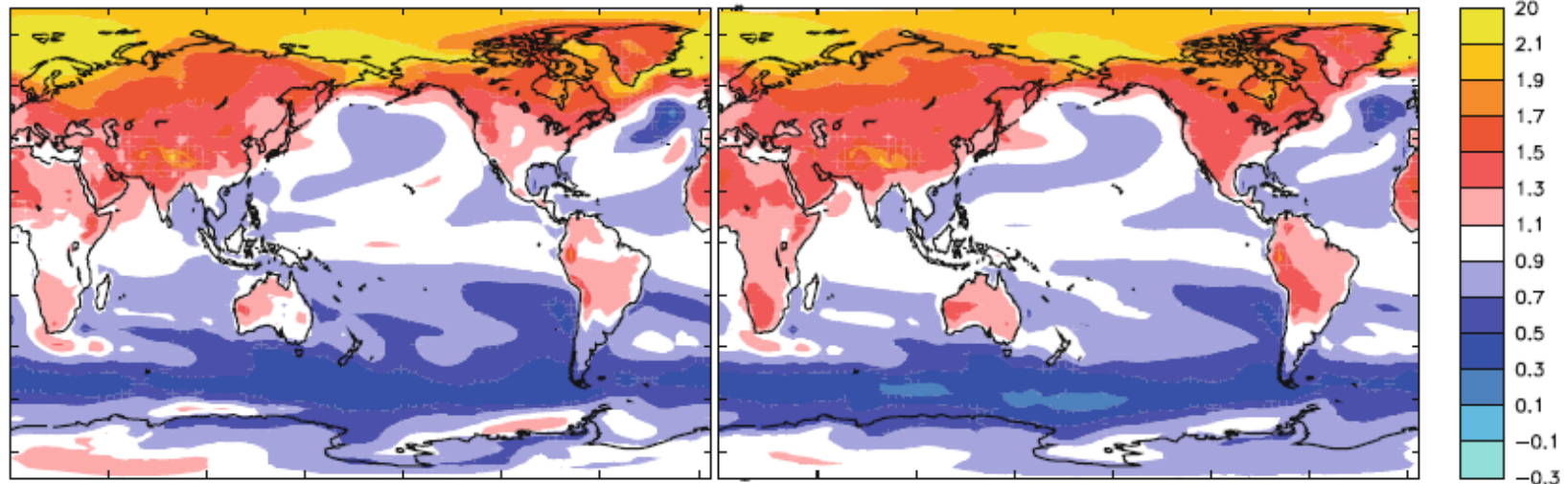
Why do we care so much about global  $\Delta T_s$  ?

- For many models, as a first approximation :  
$$\Delta X(\text{space, time}) = \text{global } \Delta T_s(\text{time}) \times \text{pattern}(\text{space})$$
- Global  $\Delta T_s$  : a scaling factor for many global and regional climate responses
- Maybe it works in the real world too (at least to some extent)

*Change in temperature normalized by global  $\Delta T_s$  (K/K)*

(a) IPSL-CM5A-LR, RCP26, 2100

(b) IPSL-CM5A-LR, RCP85, 2100

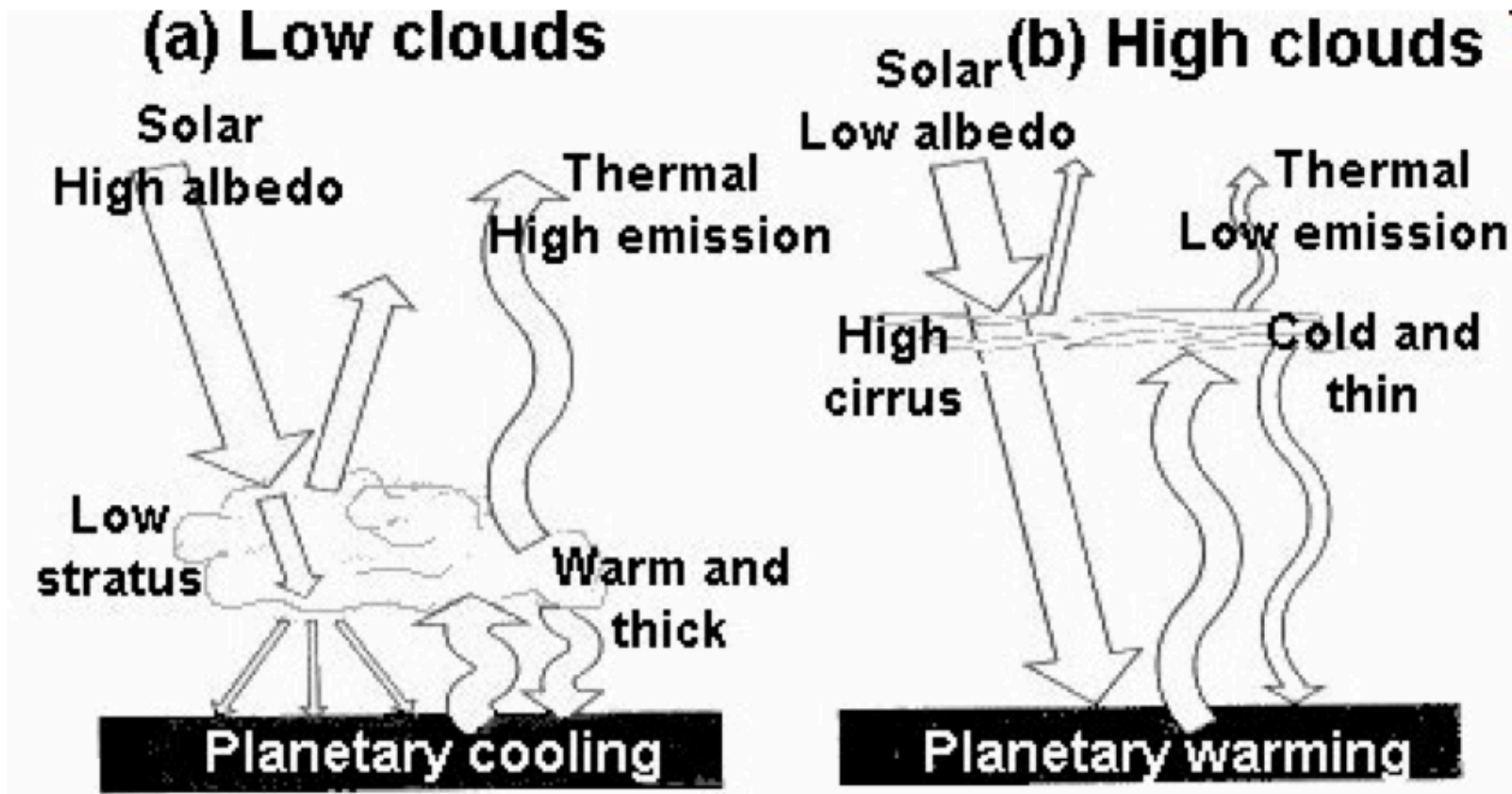


# Clouds in a changing climate

## OUTLINE

- Climate sensitivity
- Quantifying climate feedbacks
- Cloud feedback processes

# Clouds and radiation



More low clouds:

Little LW effect ( $\sim\sigma T^4$ ,  $T\sim T_{sfc}$ )

Strong SW cooling

More high clouds:

**Strong LW warming** ( $\sim\sigma T^4$ ,  $T\ll T_{sfc}$ )

Little SW effect

# Clouds and radiation

**Cloud radiative effect:** measure of cloud impact on earth energy budget (incoming radiation at TOA - or tropopause)

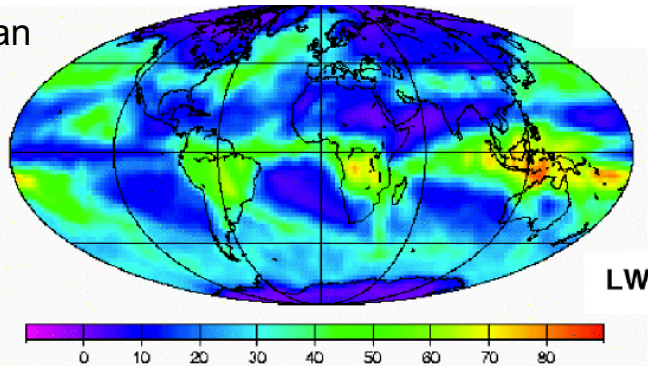
Difference between all- and clear-sky flux ( $> 0 \Leftrightarrow$  warming):

$SW_{in} \text{ all sky} - SW_{in} \text{ clear sky}$  ( $< 0$  due to low clouds cooling)

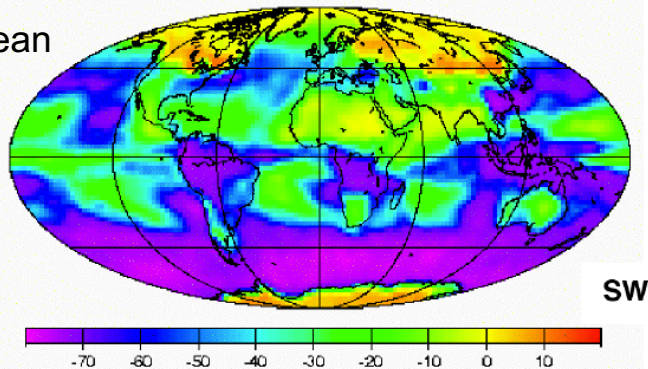
$LW_{in} \text{ all sky} - LW_{in} \text{ clear sky}$  ( $> 0$  due to high clouds warming)

*Cloud radiative effects in present-day climate (maps for JFM):*

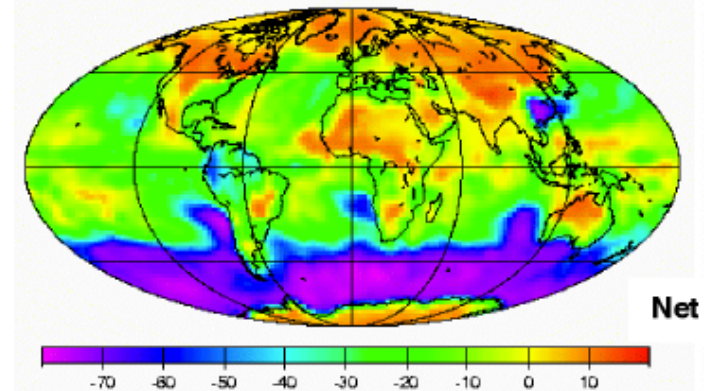
LW (annual mean  
 $\sim + 30W/m^2$ )



SW (annual mean  
 $\sim - 50W/m^2$ )



Net (annual mean  $\sim - 20W/m^2$ )  
(compare to  $2xCO_2$ :  $4 W/m^2$ )





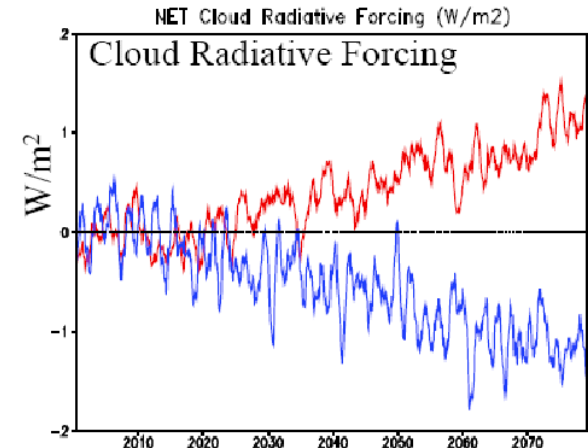
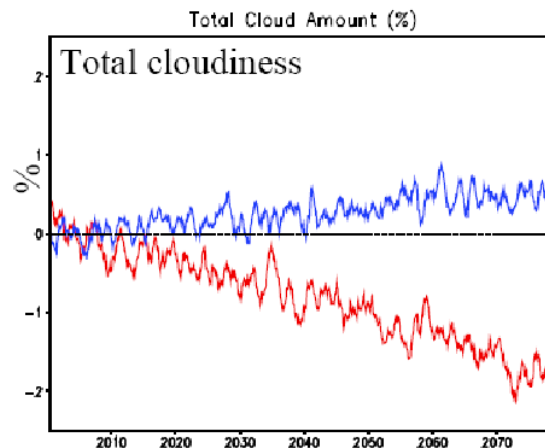
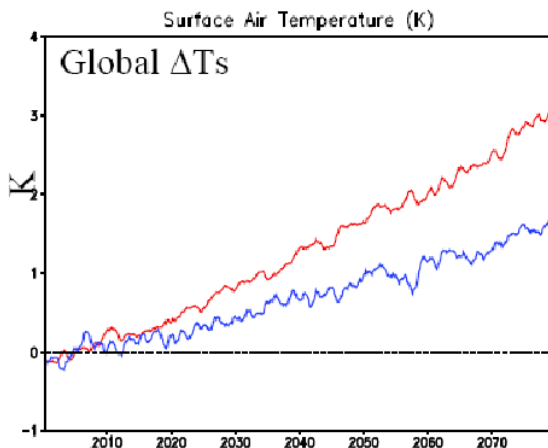
# Clouds and radiation

**Cloud radiative forcing:** difference between all- and clear-sky flux changes providing a measure of the contribution of clouds to the climate sensitivity.

$$\text{Net CRF} = \text{LW CRF} + \text{SW CRF} \begin{cases} < 0 : \text{clouds oppose warming} \\ > 0 : \text{clouds strengthen warming} \end{cases}$$

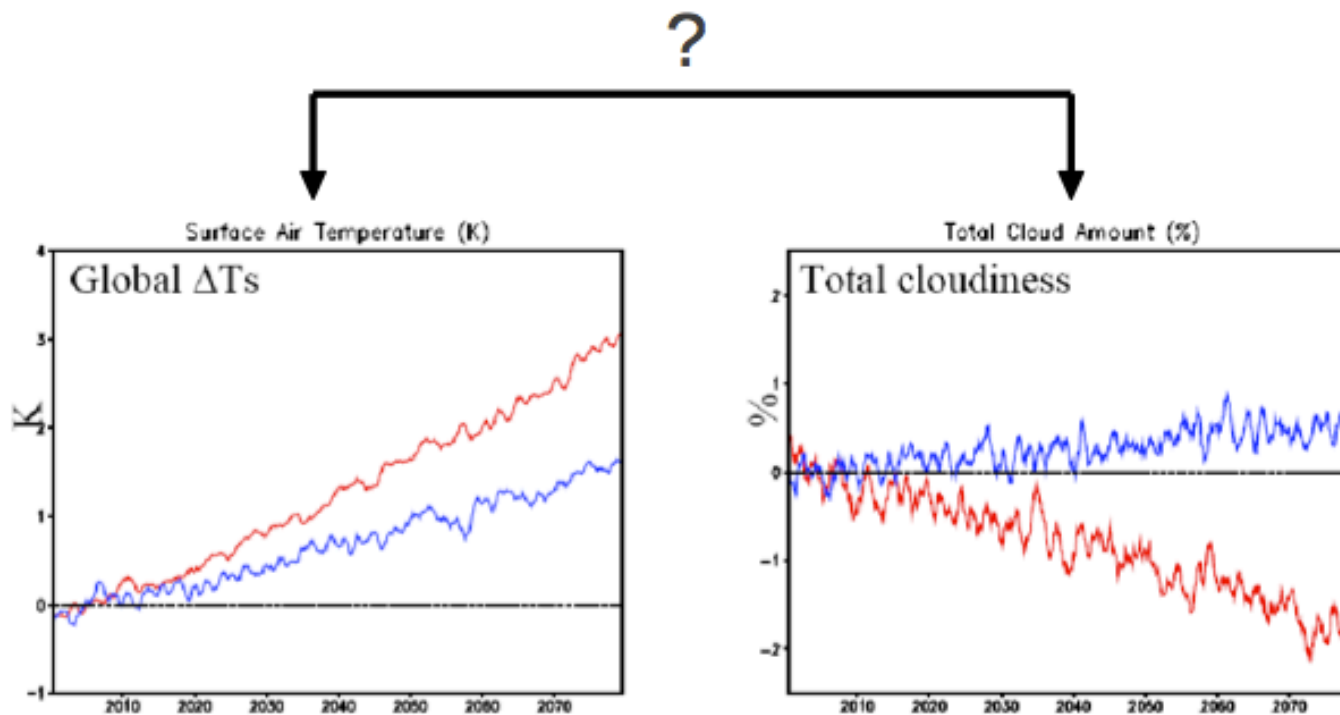
How will clouds respond to increased CO<sub>2</sub> ?  
How will that feed back on climate ?

Results from 2 different climate models (+ 1% CO<sub>2</sub>/yr) **MIROC** and **NCAR**



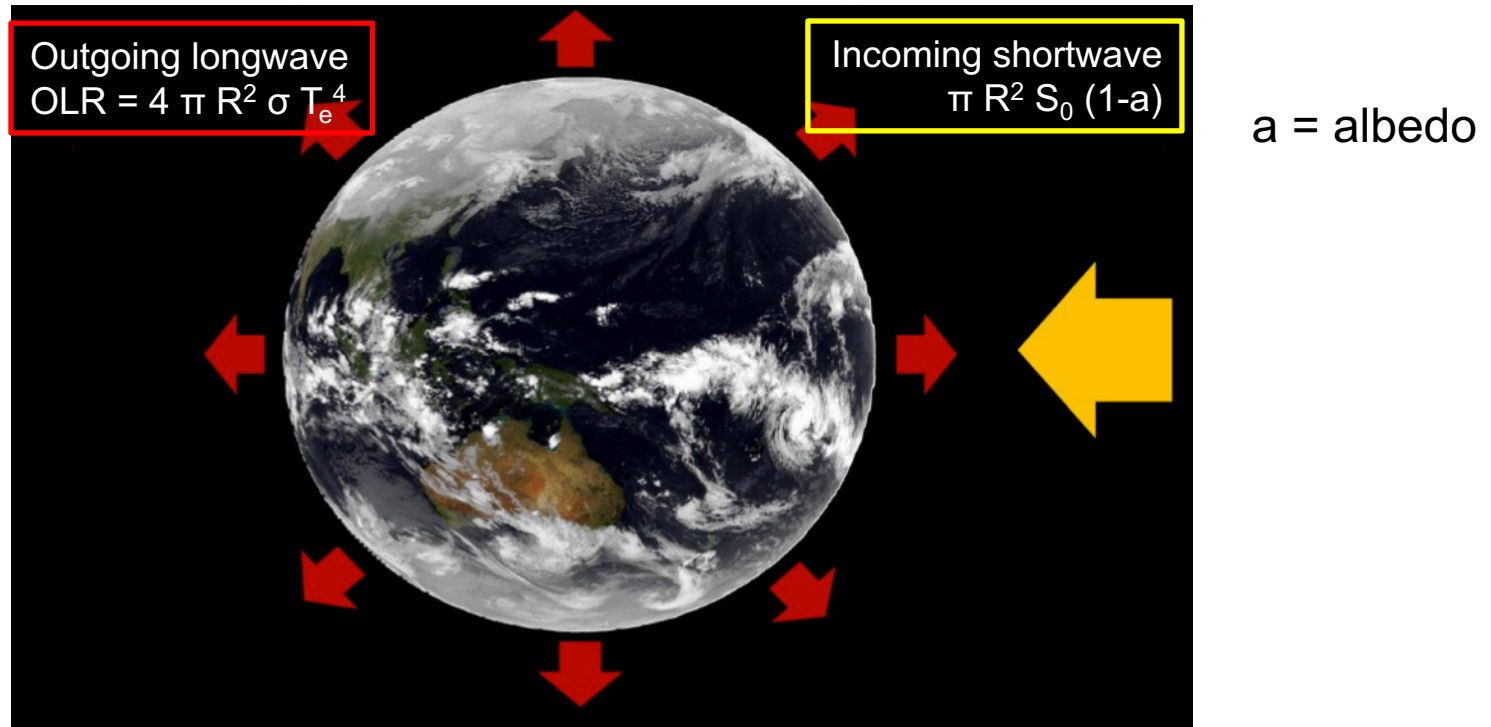
# Quantifying Climate Feedbacks

Can we formalize the link between clouds and climate sensitivity?



# Quantifying Climate Feedbacks

## Earth TOA energy balance



Net incoming:  $R = \frac{S_0(1-a)}{4} - OLR$ ,  $OLR = \sigma T_e^4$       At equilibrium:  $R = 0$

Forcing  $\Rightarrow \Delta R > 0$       At equilibrium:  $\Delta R = 0$

Dependence of OLR on temperature constitutes the main restoring force towards Earth's energy balance

It has been found from model experiments that the radiative response is proportional to the global average surface air temperature change

# Quantifying Climate Feedbacks

$$R = \frac{S_0(1-a)}{4} - OLR$$

Assume  $OLR = f(CO_2, wv, cld...) \sigma T_s^4$

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If  $CO_2$  abruptly increases  $\Rightarrow$  lower  $OLR \Rightarrow \Delta R = F > 0$



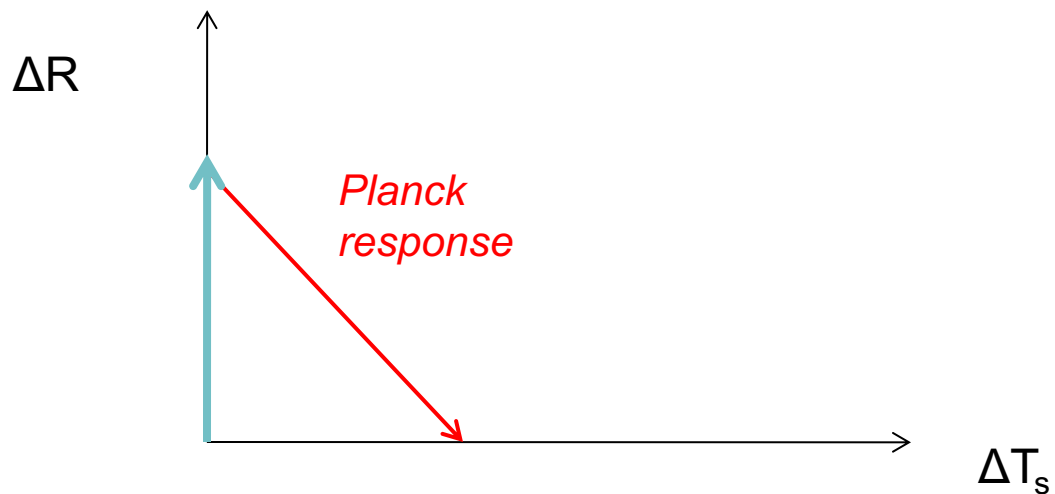
# Quantifying Climate Feedbacks

$$R = \frac{S_0(1-a)}{4} - OLR$$

$$\text{Assume } OLR = f(\text{CO}_2, \text{wv}, \text{cld}...) \sigma T_s^4$$

If  $\text{CO}_2$  abruptly increases  $\Rightarrow$  lower OLR  $\Rightarrow \Delta R = F > 0$

If only  $T_s$  responds to the perturbation  $\Rightarrow \Delta T_s > 0$  needed for  $\Delta R = 0$



# Quantifying Climate Feedbacks

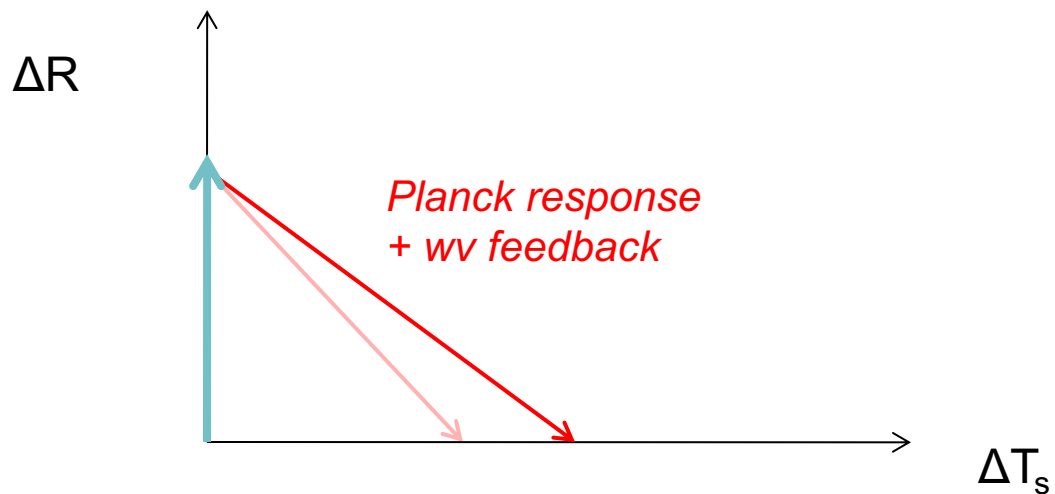
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Now if  $wv$  increases with  $T_s \Rightarrow$  even larger  $\Delta T_s$  needed



# Quantifying Climate Feedbacks

$$R = \frac{S_0(1-a)}{4} - OLR$$

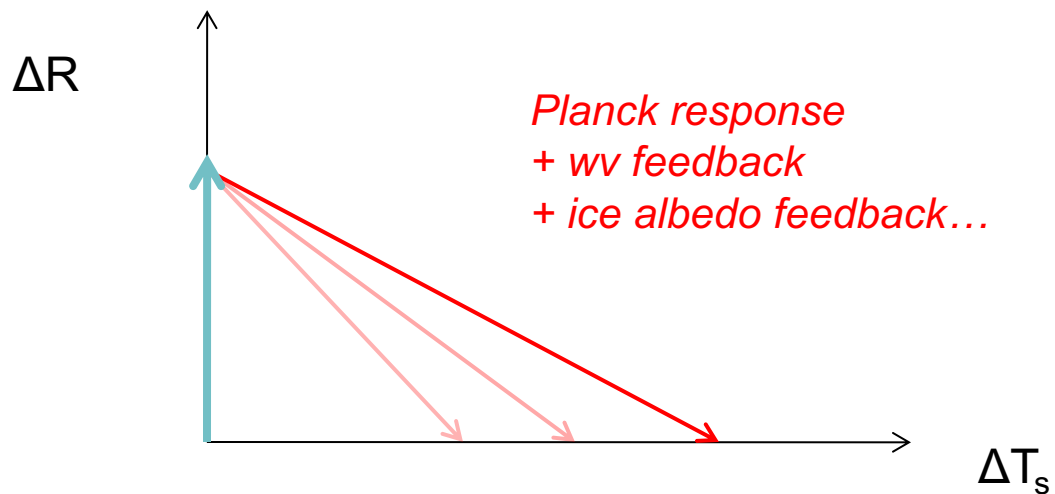
Assume  $OLR = f(CO_2, wv, cld...) \sigma T_s^4$

If  $CO_2$  abruptly increases  $\Rightarrow$  lower  $OLR \Rightarrow \Delta R = F > 0$

If only  $T_s$  responds to the perturbation  $\Rightarrow \Delta T_s > 0$  needed for  $\Delta R = 0$

Now if  $wv$  increases with  $T_s \Rightarrow$  even larger  $\Delta T_s$  needed

And if  $a_{ice}$  decreases when  $T_s$  increases  $\Rightarrow$  even larger  $\Delta T_s$  needed ...





# Quantifying Climate Feedbacks

## Classical framework

Assume  $R = R(CO_2, T_s)$

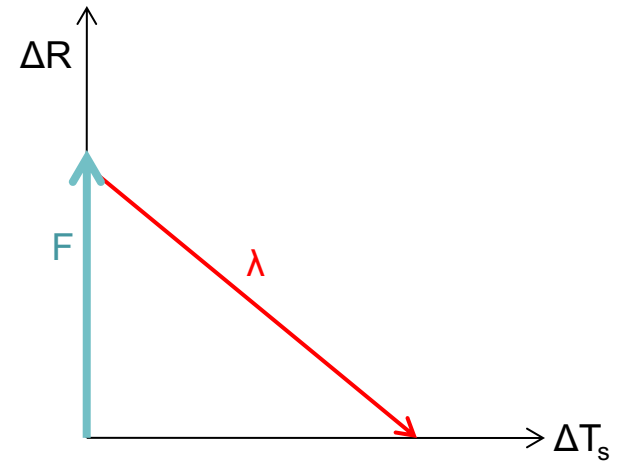
(can be generalized to any external perturbation  $f$ :  $R = R(f, T_s)$ )

$$\Delta R = \left( \frac{\partial R}{\partial CO_2} \right)_{T_s} \Delta CO_2 + \left( \frac{\partial R}{\partial T_s} \right)_{CO_2} \Delta T_s$$

$$\Delta R = F + \lambda \Delta T_s$$

Instantaneous radiative forcing due to increased  $CO_2$  ( $W/m^2$ )

Climate response



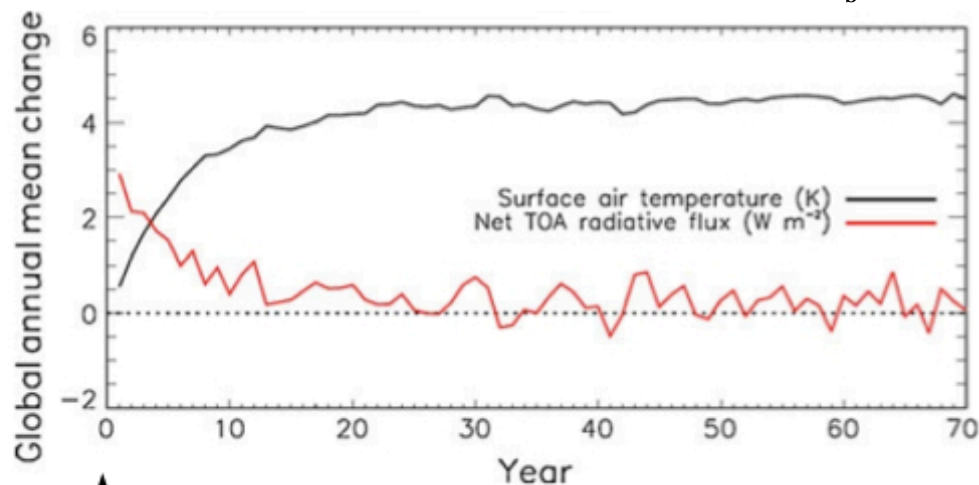
$\lambda = \left( \frac{\partial R}{\partial T_s} \right)_{CO_2}$  : feedback parameter ( $W/m^2/K$ );  $\lambda < 0$  stabilizing;  $\lambda > 0$  destabilizing.

$\Delta R = 0 \Rightarrow \Delta T_{eq} = -\frac{F}{\lambda}$  For a doubling of  $CO_2$ , this quantity is named Equilibrium Climate Sensitivity (ECS)

# Quantifying Climate Feedbacks

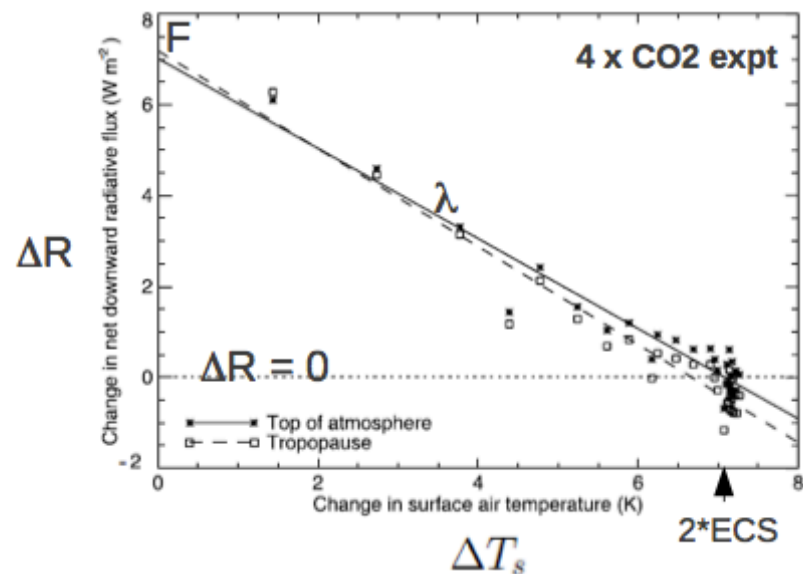
Model estimates of climate sensitivity

$$\Delta R = F + \lambda \Delta T_s$$



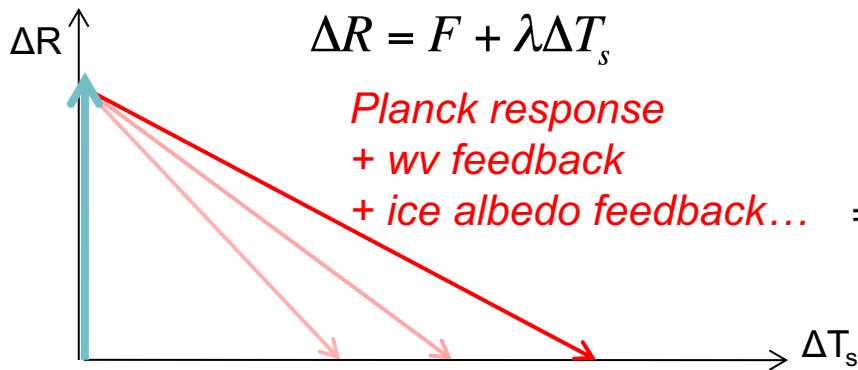
Abrupt CO2 increase

« Gregory plot »



# Quantifying Climate Feedbacks

Recall:

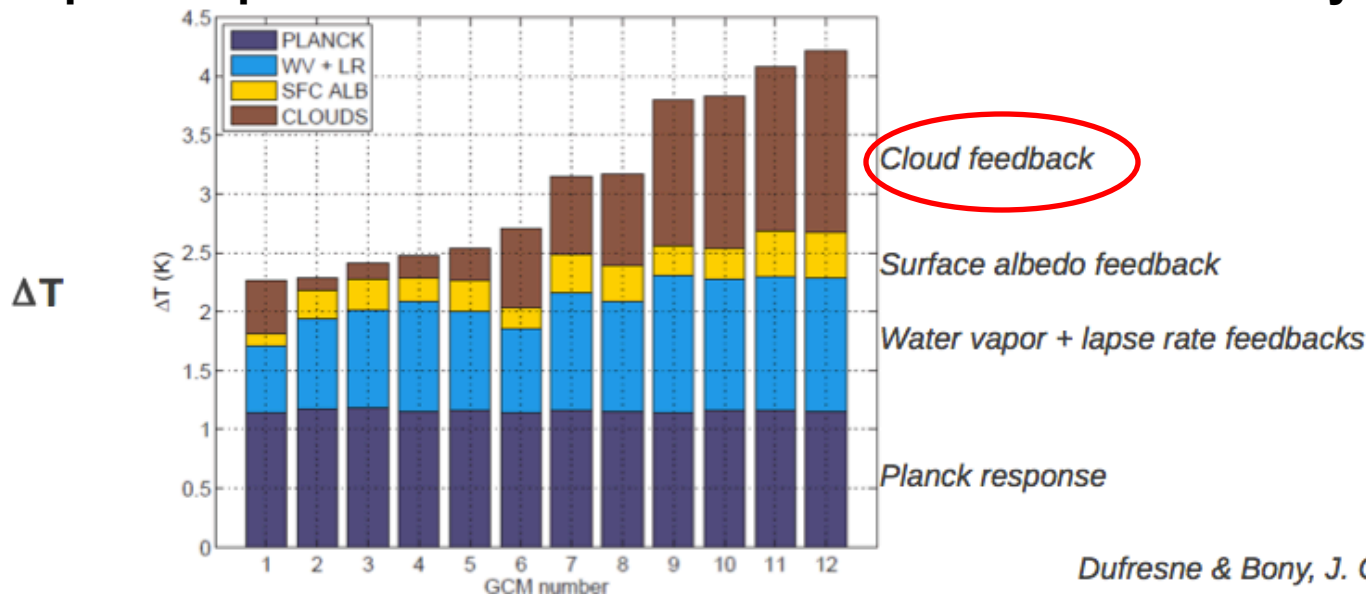


$$\Rightarrow \lambda = \lambda_{Planck} + \lambda_{wv} + \lambda_{cld} + \lambda_{ice} \dots$$

$$\lambda = \frac{\partial R}{\partial T_s} = \sum_x \frac{\partial R}{\partial x} \frac{\partial x}{\partial T_s} = \lambda_{Planck} + \sum_{x \neq Planck} \lambda_x$$

Planck response      Influence of each feedback x on climate sensitivity

Helps interpret inter-model differences in climate sensitivity :



# Clouds in a changing climate

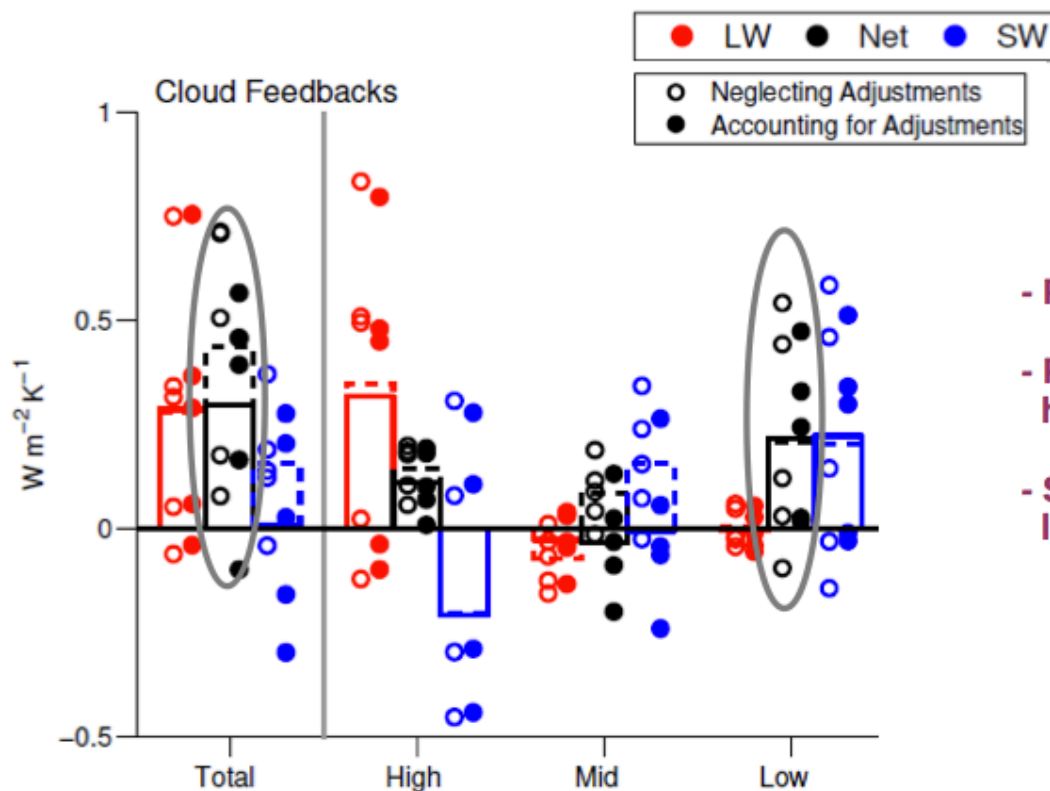
## OUTLINE

- Climate sensitivity
- Quantifying climate feedbacks
- **Cloud feedback processes**

# Cloud Feedback Processes

How do the different cloud types contribute to global cloud feedbacks ?  
=> **Low-cloud feedbacks dominate the spread of model cloud feedbacks**

CMIP5 Cloud Feedbacks

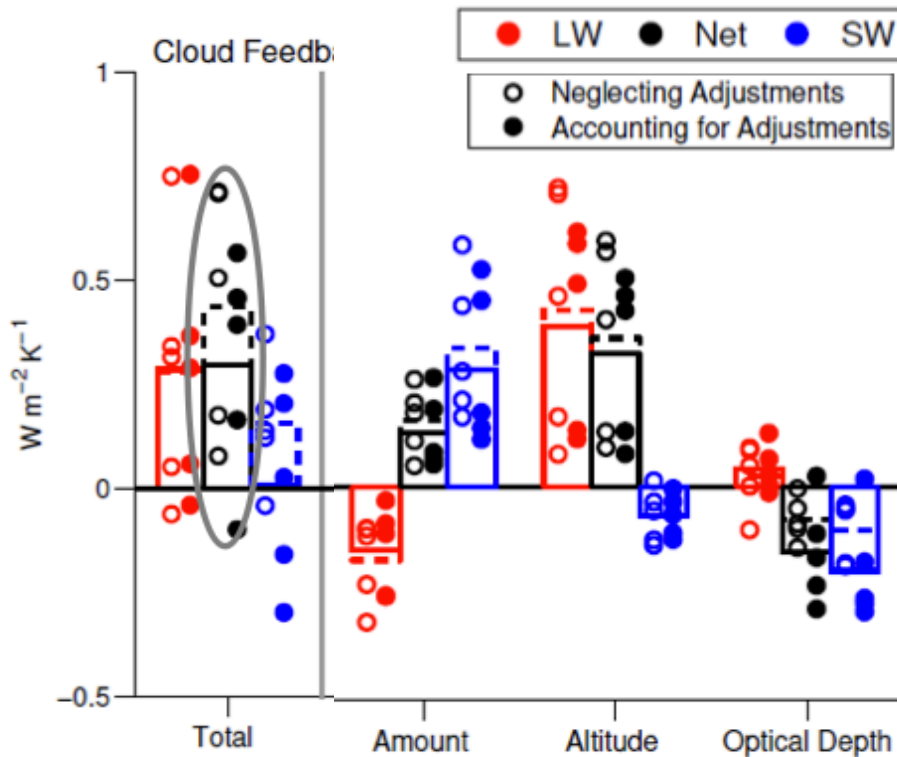


- Positive cloud feedback
- Primarily arises from low-level and high-level cloud feedbacks
- Spread primarily arises from low-level cloud feedbacks

# Cloud Feedback Processes

How do the different cloud types contribute to global cloud feedbacks ?  
=> **Low-cloud feedbacks dominate the spread of model cloud feedbacks**

CMIP5 Cloud Feedbacks



In a warmer climate :

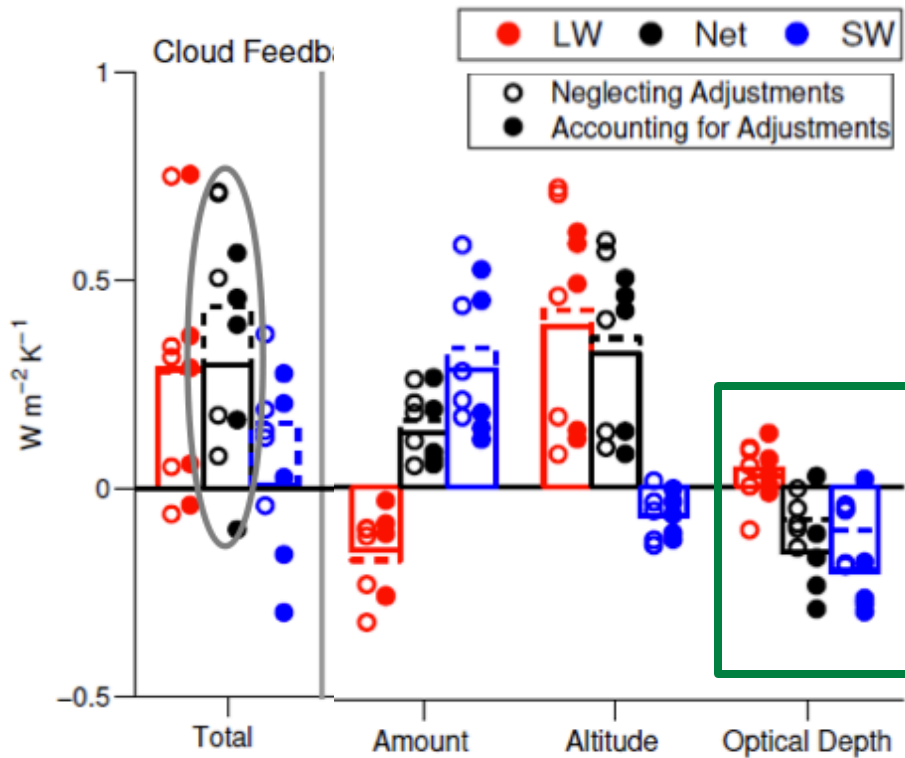
Fewer clouds  
(positive feedback)

Higher clouds  
(positive feedback)

Optically thicker clouds  
(negative feedback)

# Cloud Feedback Processes

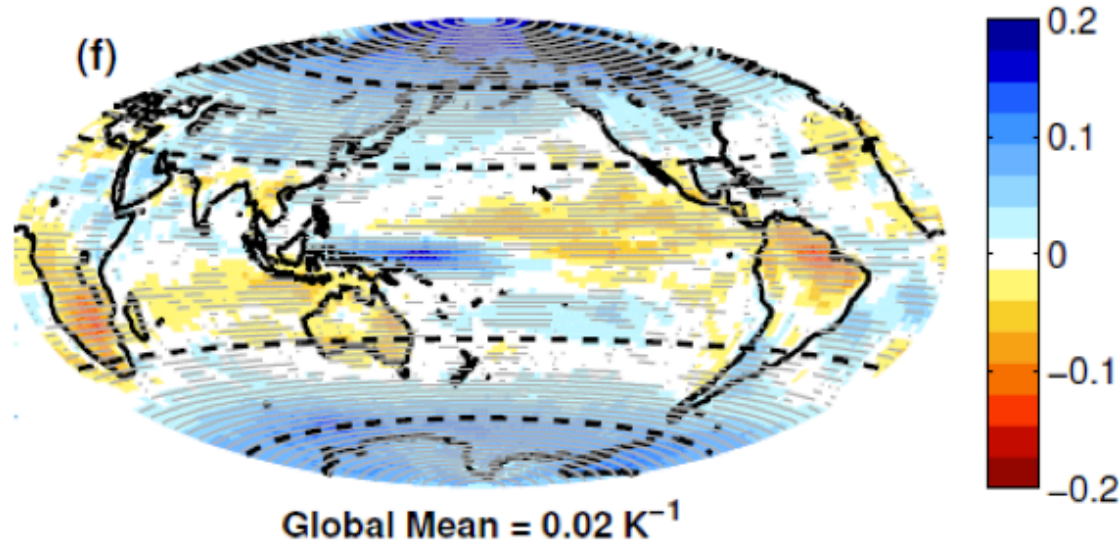
CMIP5 Cloud Feedbacks



Negative cloud feedback associated with increased cloud optical depth

# Cloud Feedback Processes

## Change in Cloud Optical Depth

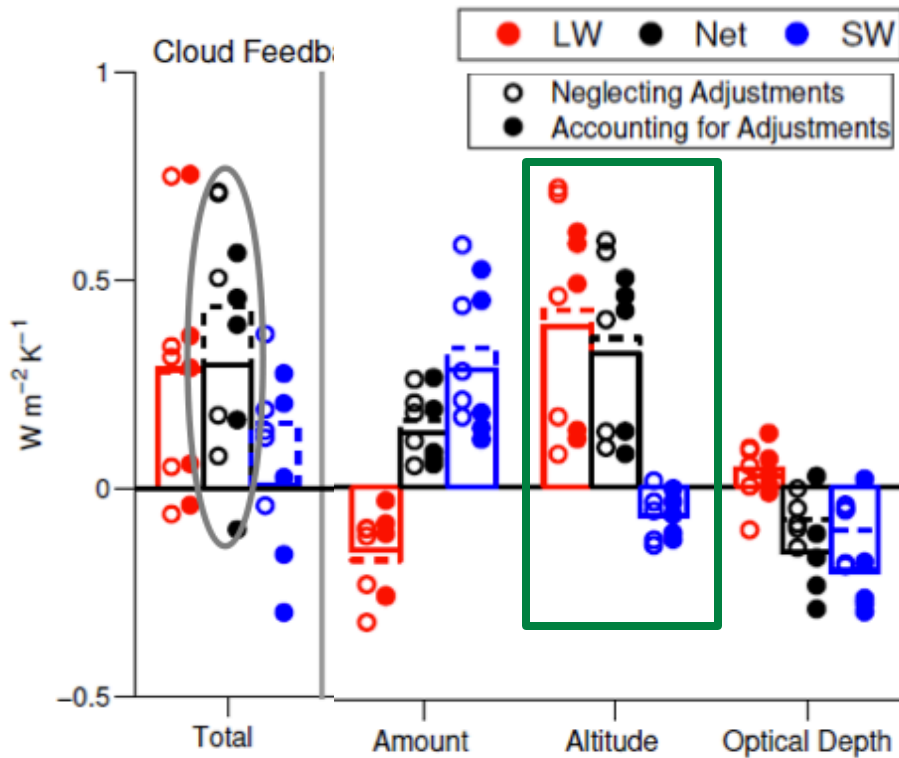


- Robust increase in cloud optical depth at latitudes poleward of about 40 deg.
- Negative cloud optical depth feedback arises mostly from the extratropics.
- High-latitude cloud optical thickness response likely related to changes in the phase and/or total water content of clouds.



# Cloud Feedback Processes

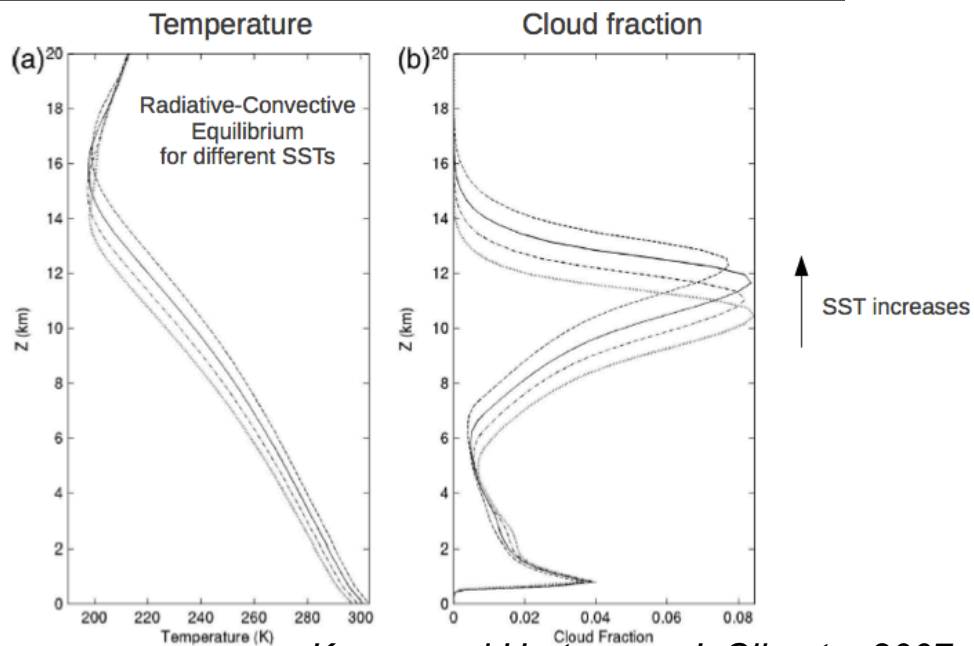
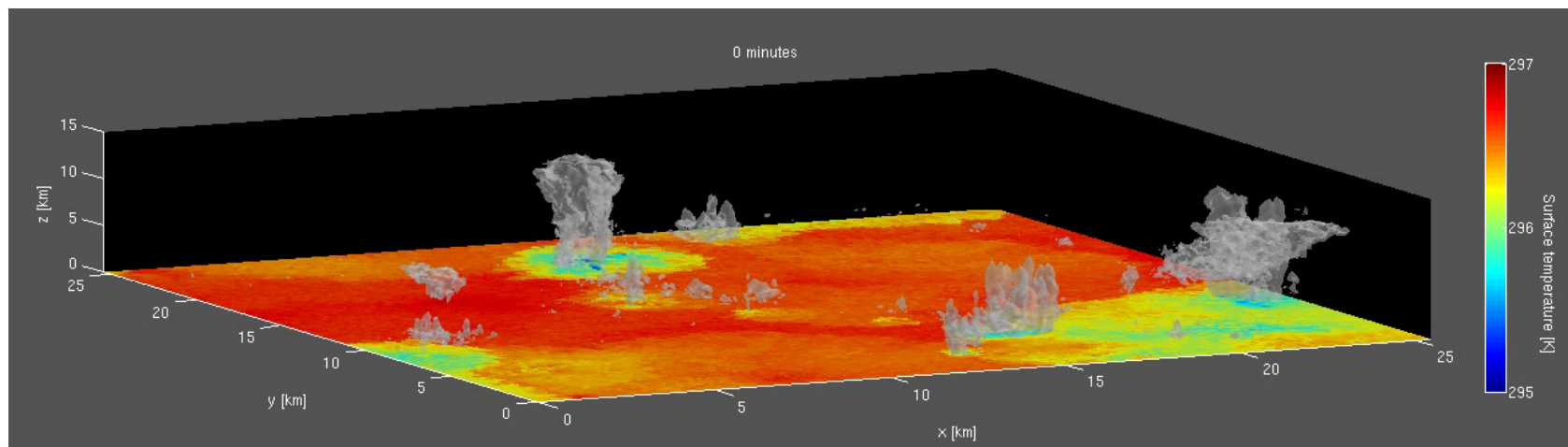
CMIP5 Cloud Feedbacks



Positive cloud feedback associated with higher clouds

# Cloud Feedback Processes

In a warmer climate, climate models robustly predict a **rise of upper-level clouds**  
So do cloud resolving models **Why?**



*Kuang and Hartmann, J. Climate, 2007*

# Cloud Feedback Processes

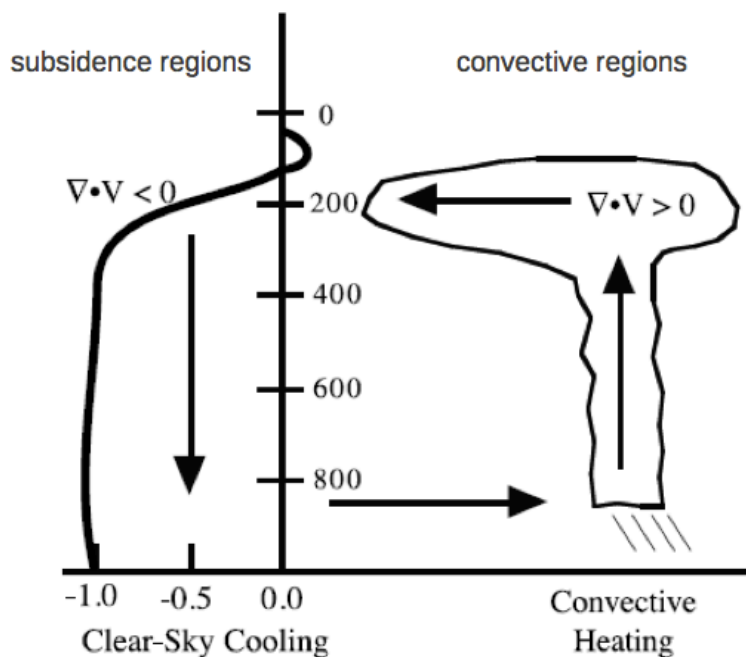
What controls the high-level cloud top altitude / temperature ?

In radiative-convective equilibrium, in clear skies, the radiative cooling is balanced by adiabatic heating :  $w=Q/\sigma$  ( $\sigma \sim$  stratification).

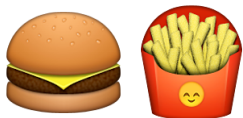
$$dQ/dp \rightarrow dw/dp \rightarrow -\nabla_H \cdot \mathbf{U} = \frac{\partial w}{\partial p} \rightarrow \text{convergence in clear skies}$$

$\Rightarrow$  Divergence from convection  $\rightarrow$  cloud top altitude

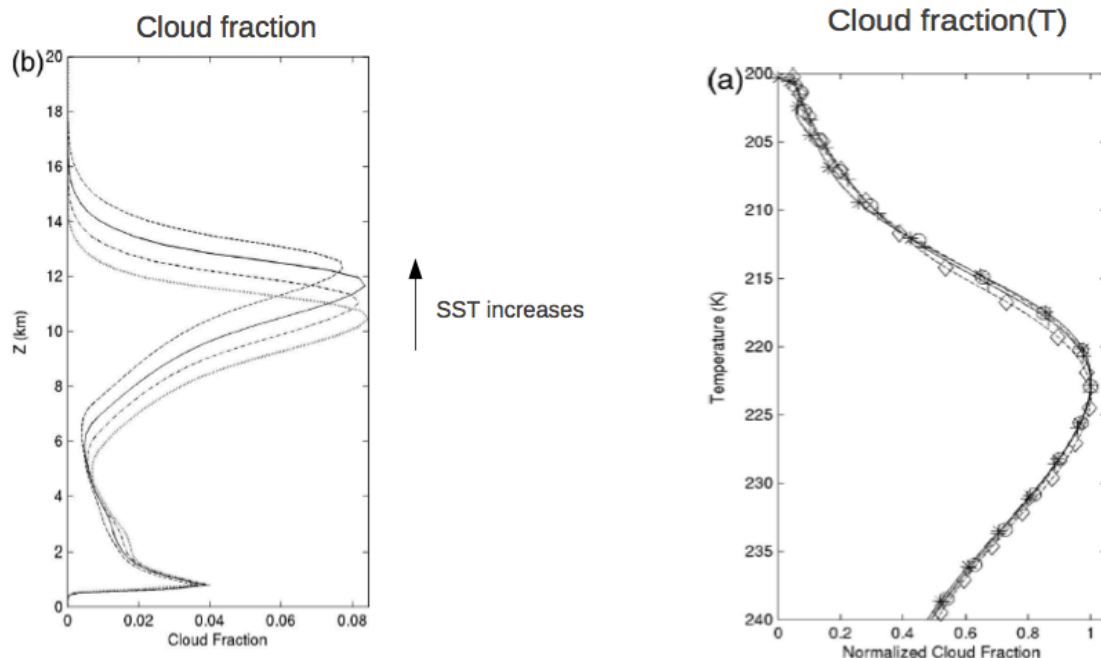
$Q$  decreases when water molecules become scarce, strong function of  $T$  (CC)



# Cloud Feedback Processes



## Fixed Anvil Temperature « FAT » mechanism



*Kuang & Hartmann, J. Climate, 2007*



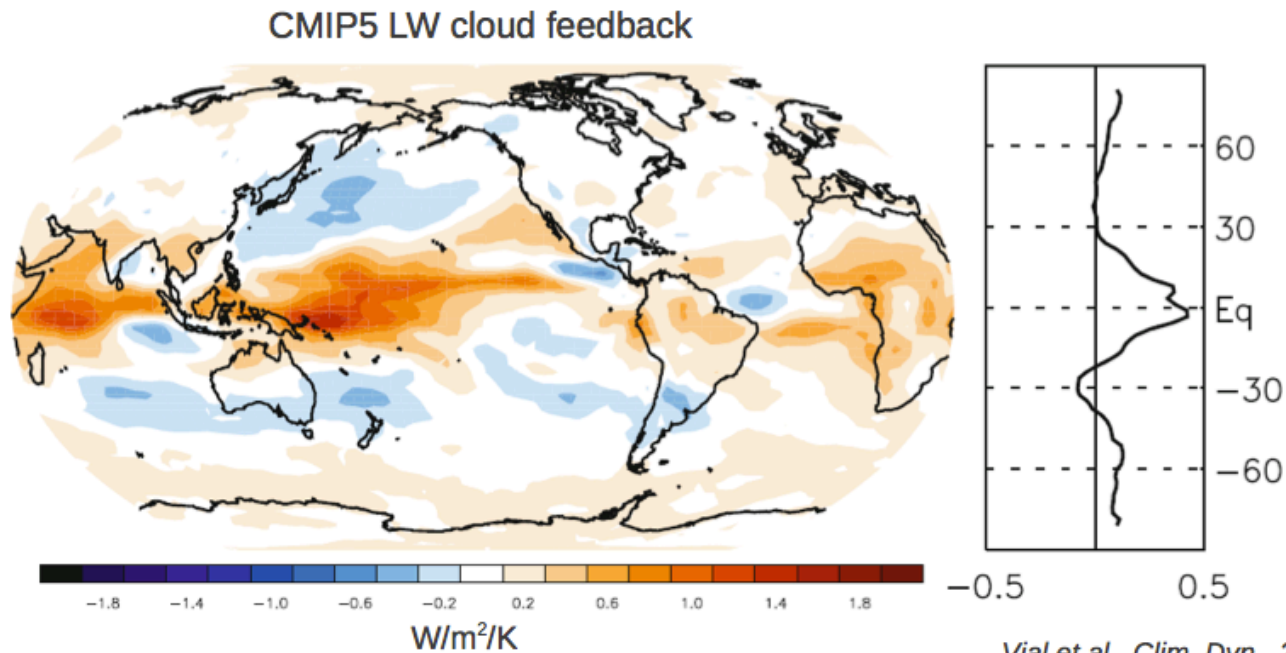
**Revisited as FiTT** (Fixed Tropopause Temperature), anvil amount NOT dictated by environmental Qrad but by convective detrainment and dissipation of clouds, slower at high altitudes. => T of high clouds can change (seem to warm ~ 50% of surface warming) *Jacob Seeley*

# Cloud Feedback Processes

## Implications of FAT/FiTT for cloud feedbacks ?

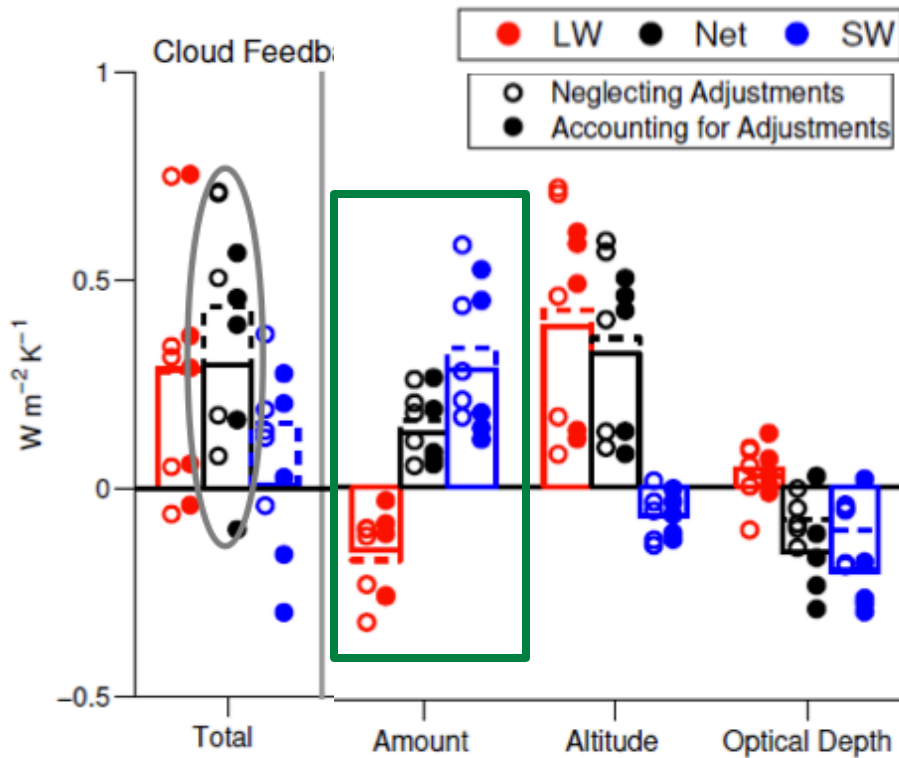
Because **cloud tops are not warming** in step with surface and atmospheric temperatures, the tropics become less efficient at radiating away heat

⇒ **positive LW cloud feedback**



# Cloud Feedback Processes

CMIP5 Cloud Feedbacks



Positive cloud feedback associated with decreased cloud fraction

# Cloud Feedback Processes

## What controls the tropical cloud amount and its radiative impact ?

In many regions, the cloud amount feedback is not robust

Low-cloud fraction and low-tropospheric stability (LTS) related in present-day climate  
*Klein and Hartmann, J. Clim., 1993*

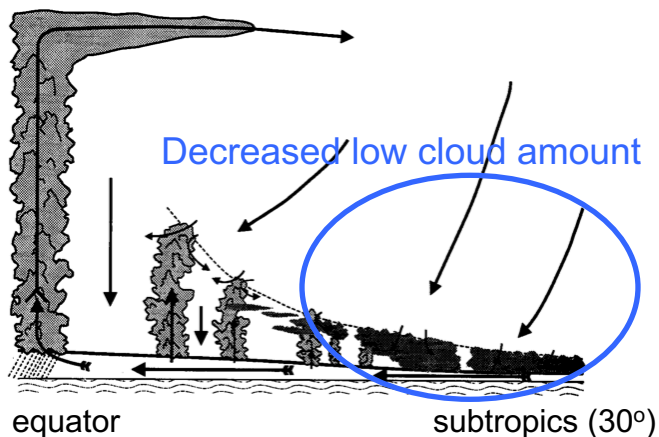
LTS expected to increase in a warmer climate.  
But even models that reproduce this relationship in present-day climate can predict a decrease of low cloud amount in climate change...

True for polar clouds as well that LTS is not a good predictor of low clouds fraction change (Xiyue Zhang)

Has to do with enhanced surface fluxes deepening the boundary layer?  
...and hence mix more dry and warm air to the surface  
...leading to a decreased cloudiness as climate warms.

*Rieck, Nuijens and Stevens, JAS, 2012*

Radiative effect of clouds important (Low-level clouds contribute to their own maintenance through their radiative effects)? Candidate to explain the spread of low-cloud feedbacks? *Brient and Bony, GRL, 2012*



# Cloud Feedback Processes

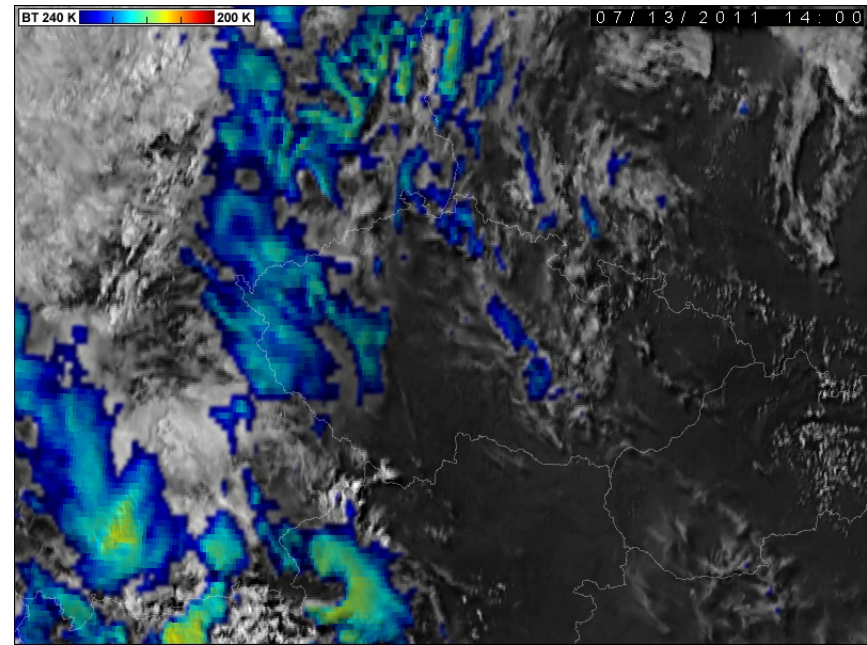
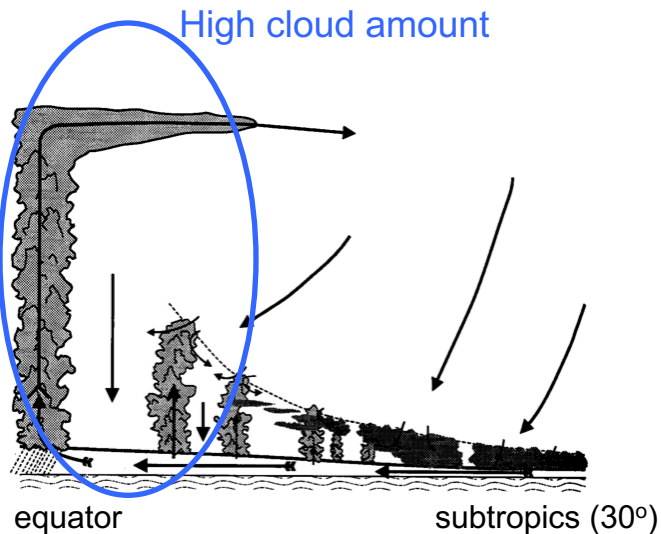
**What controls the tropical cloud amount and its radiative impact ?**

In many regions, the cloud amount feedback is not robust

FAT/FiTT don't say anything about the change in cloud amount

Still very much an open issue

**Impact of convective aggregation ?**





# Clouds in a changing climate

Many remaining questions ...

What controls the low cloud fraction ?

What determines the mesoscale organization of low clouds ?

What controls the high cloud fraction ?

FAT or FiTT? Why ?

What determines the organization of deep convection ?

What impact on the hydrological cycle (extreme precipitation, updraft velocities) ?

# Clouds and turbulent moist convection



# Nuages des Houches

